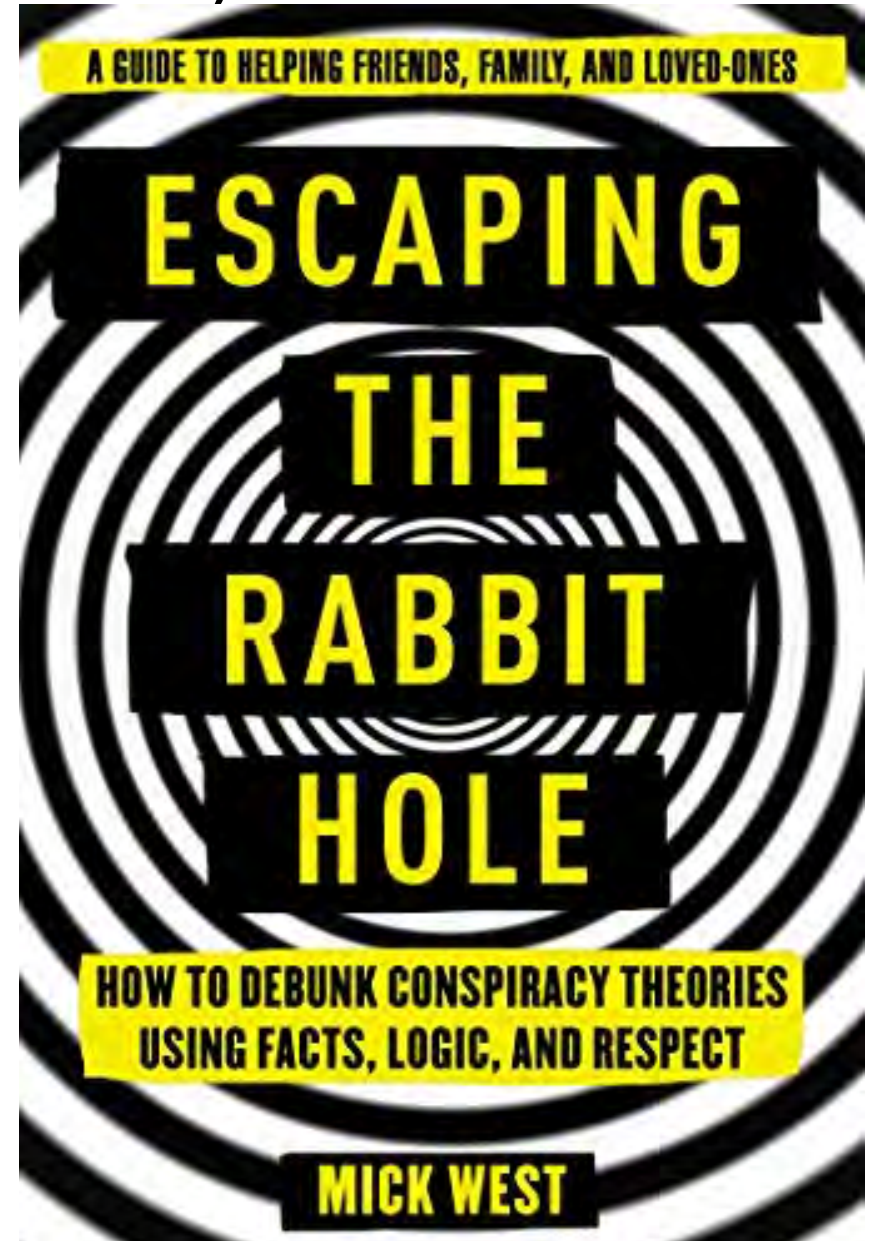


# Why I Think the Earth is a Globe

# Who am I (Mick West)

- Retired Videogame Programmer
- Started [ContrailScience.com](http://ContrailScience.com) in 2007
- [Metabunk.org](http://Metabunk.org) in 2010
- Investigating Flat Earth since 2015
- *Escaping the Rabbit Hole* in 2018

















I think the Earth is a Globe because:

It's the best model  
to explain what I see  
and measure

# Comparing Models - Criteria

- Consistent with observations
- Lacking inconsistent observations
- Accuracy in predictions and explanations
- Simplicity, Occam's Razor,
- Utility, is it used to do useful work?

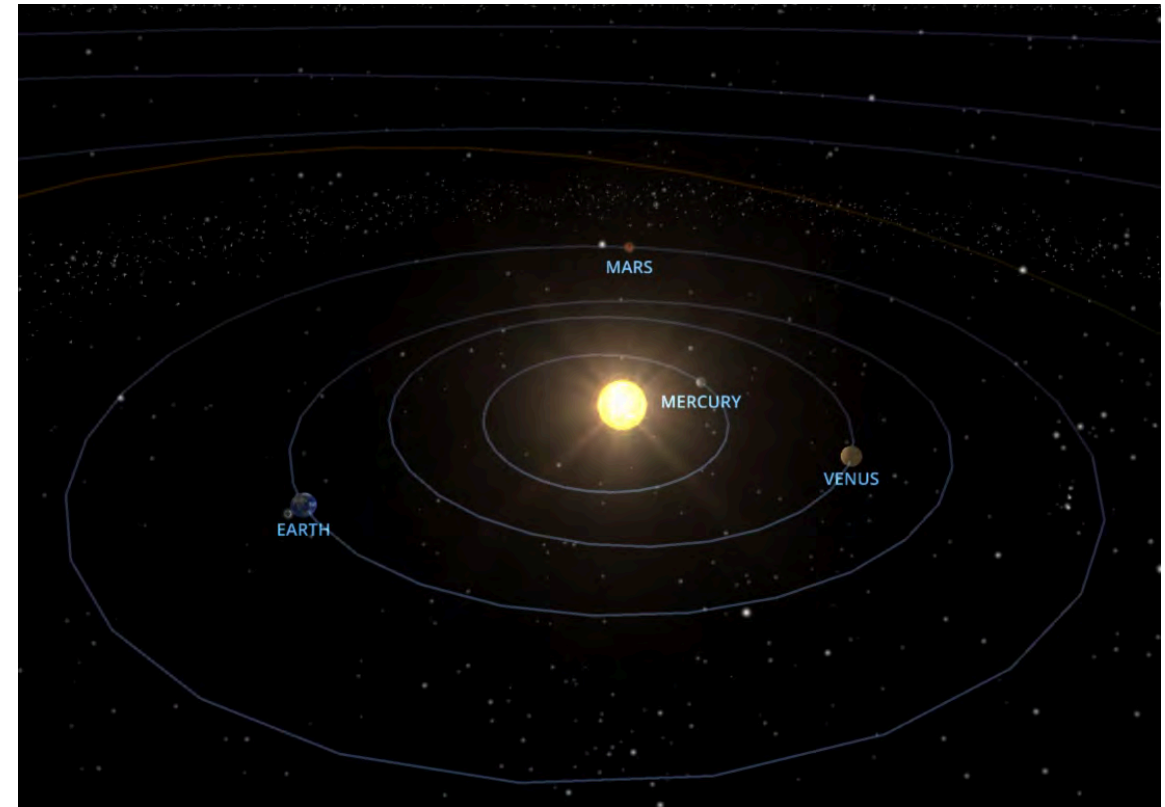
# What are the models?

## Flat Model



Varies

## Standard Model



NOT TO SCALE

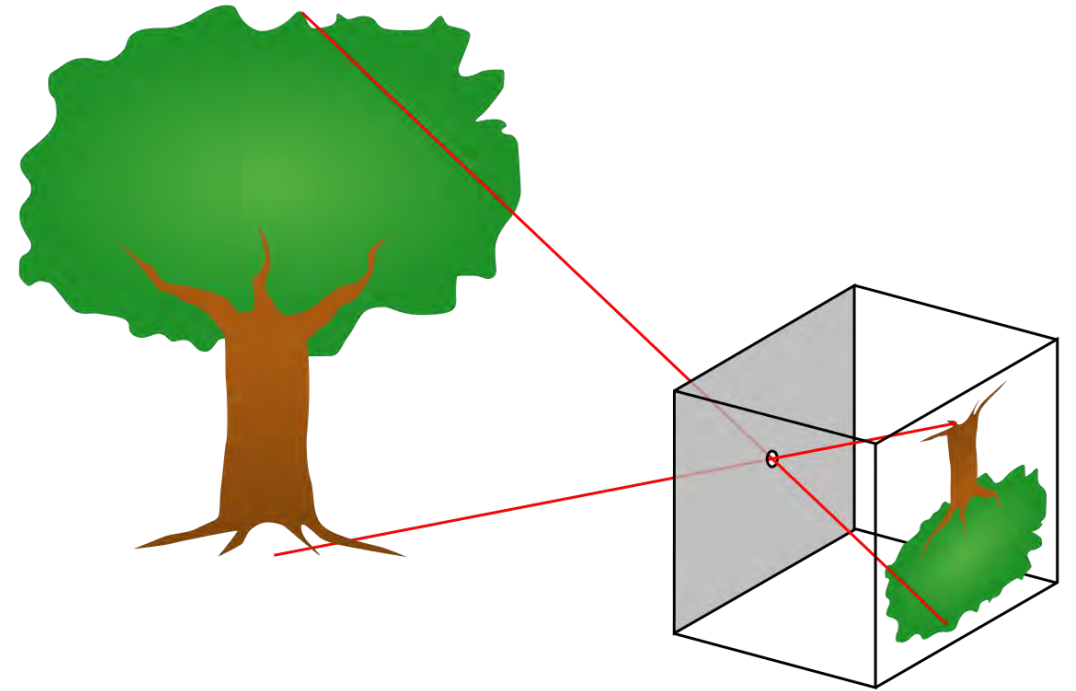
<https://www.solarsystemscope.com/>

# Standard Model – Earth and Solar System

- Earth is an oblate spheroid about 4,000 miles in radius
- Earth has an atmosphere, smoothly decreasing in pressure
- The Moon is a spheroid, about 1,000 miles in radius, 250,000 miles away, no atmosphere, orbiting the Earth
- The Sun is very big, and millions of miles away
- The Earth and the other planets orbit the sun
- Stars are trillions of miles away

# Standard Model – Light and Photos

- Cameras and eyes produce similar images
- Light enters the camera through a focal point, makes an image
- Light travels in straight lines over short distance
- Light is refracted (bent) towards the denser medium



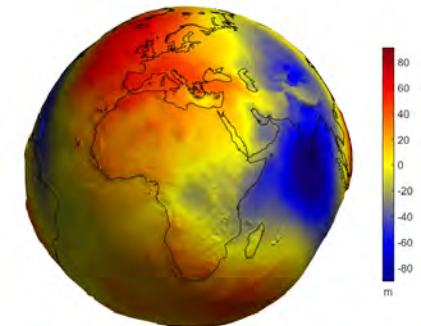


But *which* standard model?

- **Basic** – Just describes or gives rough numbers
- **Intermediate** – Accurate and gives useful numbers
- **Advanced** – Highly accurate, often complex and unnecessary

# Example – The Shape of the Earth

- Basic – A Sphere
  - Works for things like rough distances
  - Works for calculating horizon curve and obscuration
- Intermediate – An Oblate Spheroid, WGS84
  - Needed for accurate navigation and surveying
  - Used by GPS
- Advanced – A geoid, with irregular land surfaces.
  - Very accurate navigation
  - Surveying and prospecting

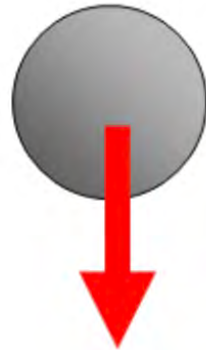


# Example: Force of Gravity (standard model)

Basic:

Force acts downwards

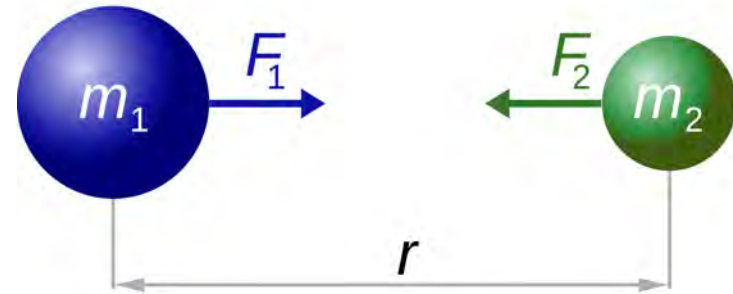
$$F = mg$$



Intermediate

Force is between two masses

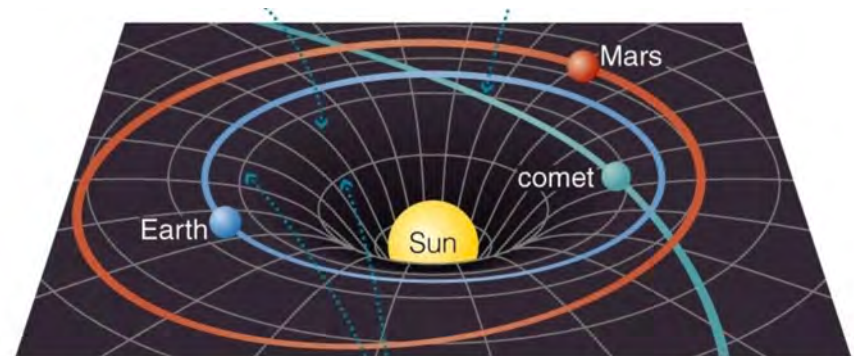
$$F = G \frac{m_1 m_2}{r^2}$$



Advanced

Force is a bending of spacetime

$$R_{\mu\nu} - \frac{1}{2}R g_{\mu\nu} + \Lambda g_{\mu\nu} = \frac{8\pi G}{c^4} T_{\mu\nu}$$



# Example: Lines of Sight in Air

- Basic:
  - Straight lines (no refraction)
- Intermediate
  - Average constant downwards refraction (“Standard” refraction)
- Advanced
  - Refraction varies based on temperature and humidity gradients
  - More so close to the ground, especially water

# Basic and intermediate lines of sight

## Earth's Curve Horizon, Bulge, Drop, and Hidden Calculator

Distance in Miles:

Viewer height in Feet:

Imperial  Metric  Advanced

Distance = 4 miles (21120 feet), View Height = 6 feet (72 inches) Actual Radius = 3959 miles

### With "Standard" refraction adjustment of 7/6 radius (4618.83 miles)

**Refracted Horizon = 3.24 miles (17107 feet)**

**Refracted Drop = 9.15 feet (109.74 inches)**

**Refracted Hidden = 0.33 feet (3.96 inches)**

**Refracted Horizon Dip = 0.040 Degrees, (0.0007 Radians)**

Geometric results (no refraction)

Geometric Horizon = 3 miles (15838 feet)

Geometric Drop = 10.67 feet (128.03 inches)

Geometric Hidden = 0.67 feet (8.01 inches)

Geometric Horizon Dip = 0.043 Degrees, (0.0008 Radians)

# Intermediate: Lines of sight

## GEOGRAPHIC RANGE TABLE

The following table gives the approximate geographic range of visibility for an object which may be seen by an observer at sea level. It is necessary to add to the distance for the height of any object the distance corresponding to the height of the observer's eye above sea level.

Height Feet / Meters	Distance Nautical Miles (NM)	Height Feet / Meters	Distance Nautical Miles (NM)	Height Feet / Meters	Distance Nautical Miles (NM)
5/1.5	2.6	70/21.3	9.8	250/76.2	18.5
10/3.1	3.7	75/22.9	10.1	300/91.4	20.3
15/4.6	4.5	80/24.4	10.5	350/106.7	21.9
20/6.1	5.2	85/25.9	10.8	400/121.9	23.4
25/7.6	5.9	90/27.4	11.1	450/137.2	24.8
30/9.1	6.4	95/29.0	11.4	500/152.4	26.2
35/10.7	6.9	100/30.5	11.7	550/167.6	27.4
40/12.2	7.4	110/33.5	12.3	600/182.9	28.7
45/13.7	7.8	120/36.6	12.8	650/198.1	29.8
50/15.2	8.3	130/39.6	13.3	700/213.4	31.0
55/16.8	8.7	140/42.7	13.8	800/243.8	33.1
60/18.3	9.1	150/45.7	14.3	900/274.3	35.1
65/19.8	9.4	200/61.0	16.5	1000/304.8	37.0

Example: Determine the geographic visibility of an object, with a height above water of 65 feet, for an observer with a height of eye of 35 feet.

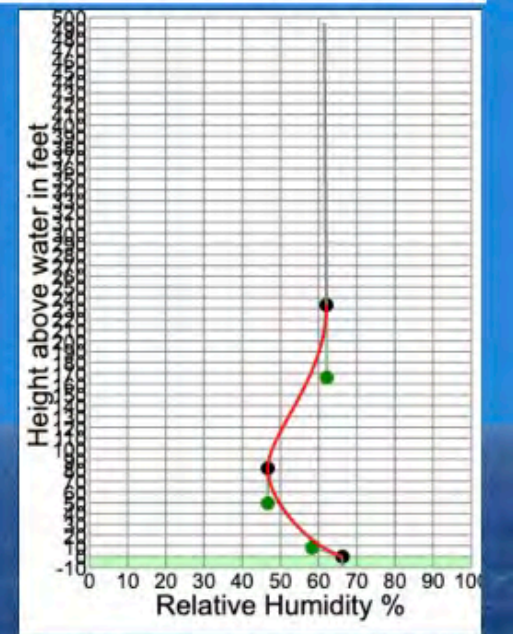
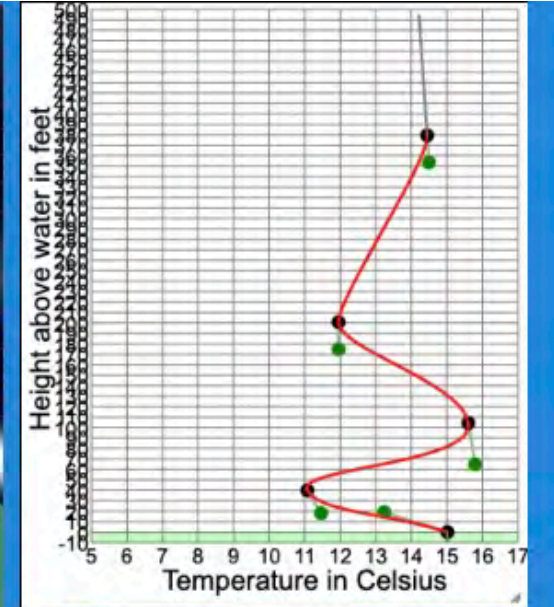
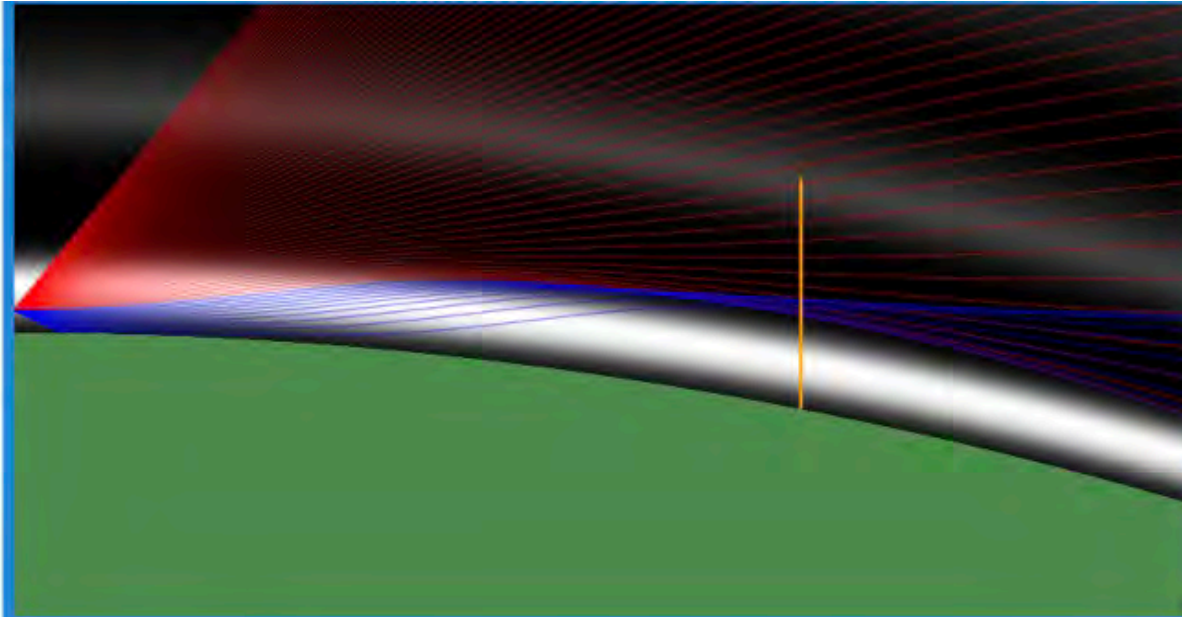
Enter above table;

Height of object 65 feet= 9.4 NM  
 Height of observer 35 feet= 6.9 NM  
 Computed geographic visibility= 16.3 NM



# Advanced lines of sight

Refraction  Standard  Graph RI   
Flat Earth  Night   
Side View  Show Gradient  Show Images   
Eye Level  Geometric Horizon   
Debug  Lens View   
Viewer Height (feet) 19  
Viewer Offset 243.35  
Vertical FOV 1.29813  
Viewer Tilt 0.05  
Side Zoom 1  
Side Zoom enable   
Image Files  
Supertanker\_AbQaiq\_200ft.png  
Target to Edit Supertanker\_AbQaiq\_200ft.png  
Target dist (miles) 10  
Target height (feet) 200  
Multiple 0 Gap 0  
Show Every N lines 10  
Wavelength (nm) 550  
RH % 50 Edit RH   
Lasers   
Laser to Edit Laser 1  
Laser Angle 0  
Laser Height 5  
Laser Diverge 1  
Laser Power 100  
Laser Offset 0  
Laser Color Green Flip Laser Direction   
RELOAD  
[PERMALINK](#) [PresetLink \(Reset\)](#) [Export](#)  
Preset  
Oil Tanker  
[Metabunk Refraction Simulator by Mick West](#)

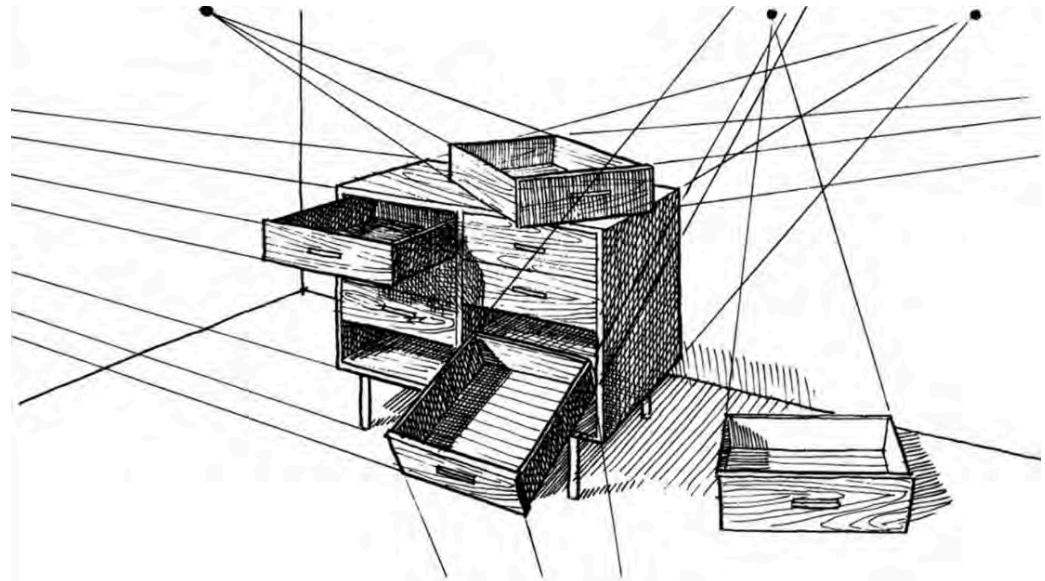
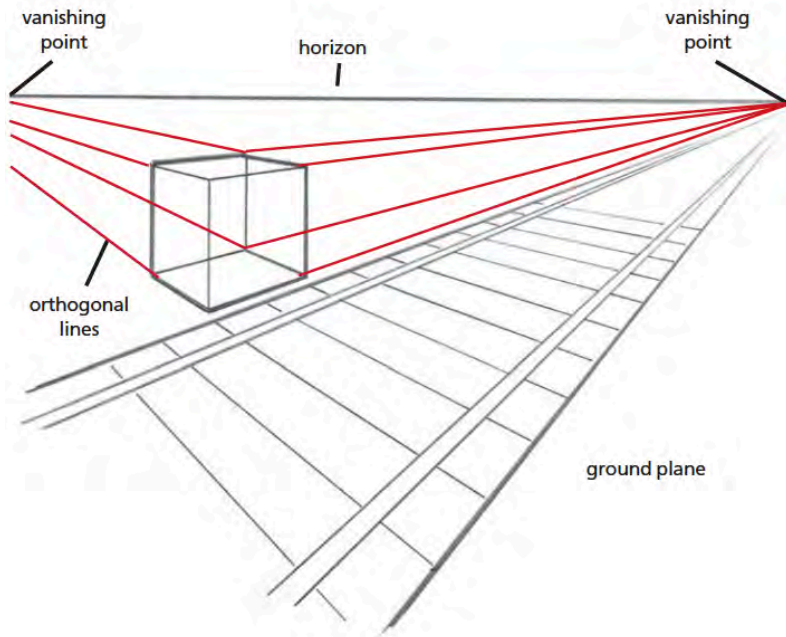


# Perspective

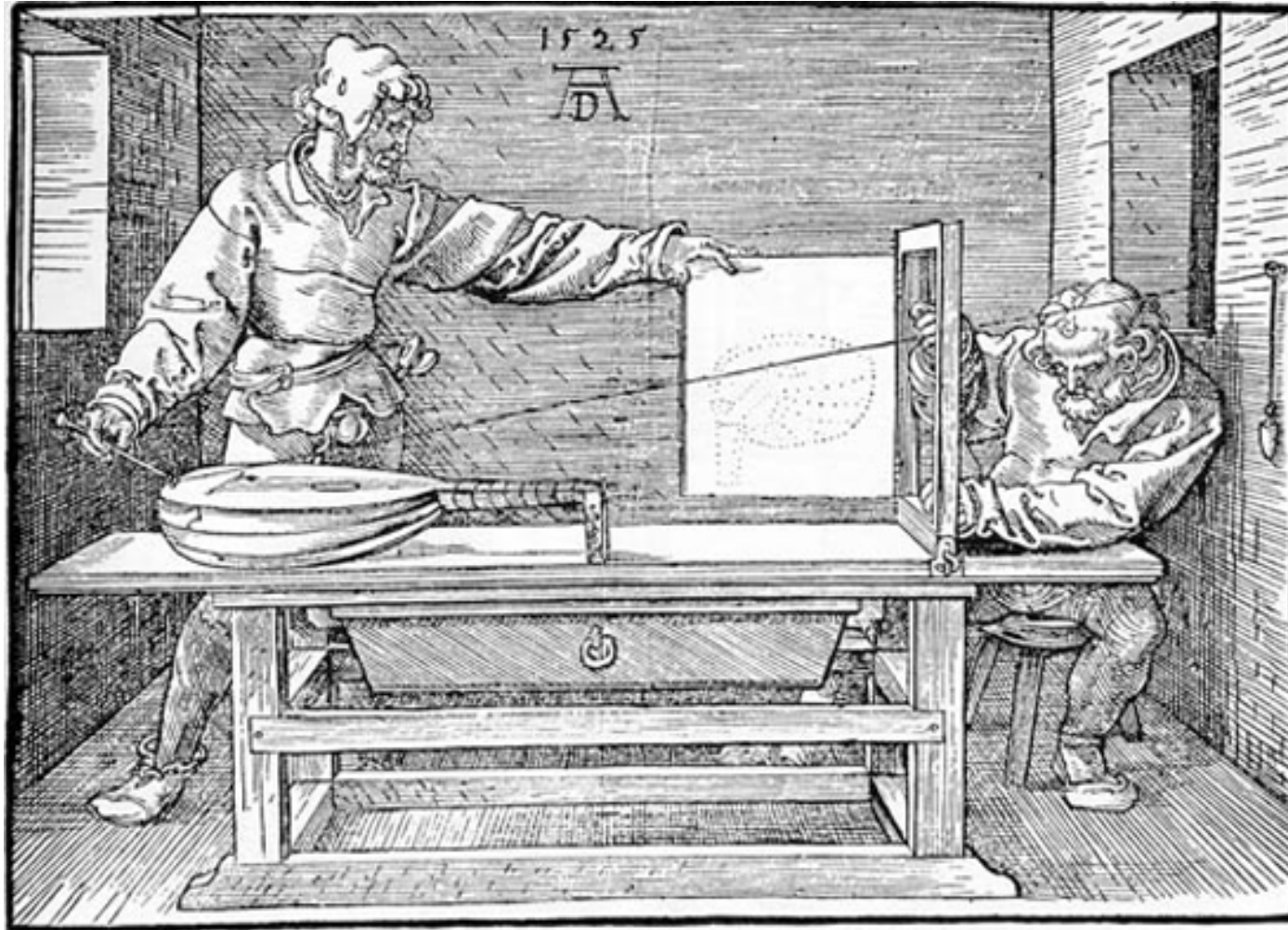
- **Basic:** Converging parallel lines, useful simplification for art
- **Intermediate:** Image size = Actual size / Distance
- **Intermediate+:** Light paths intersecting an image plane
- **Advanced:** The results of 3D ray tracing with air and lens refraction (photos.)



# Basic Perspective

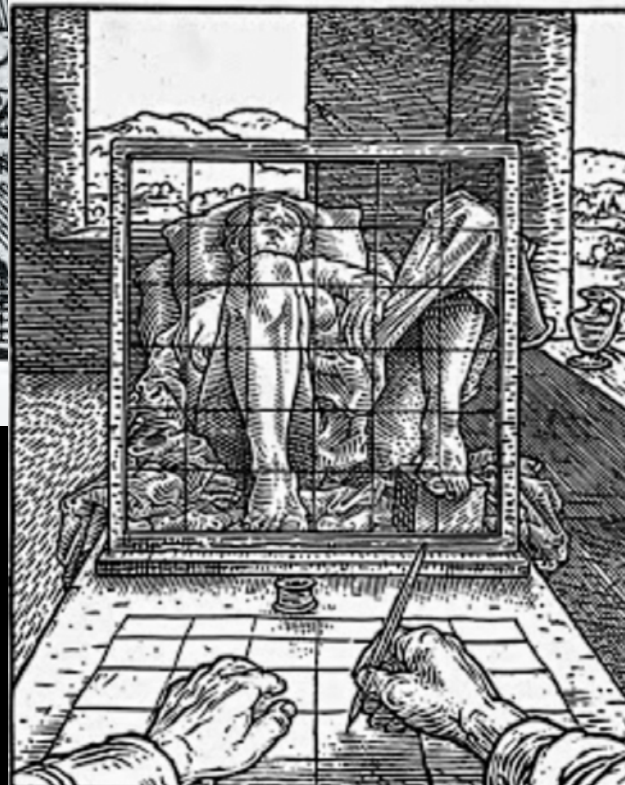


# Intermediate Perspective



"The Painter's Manual" - Albrecht Dürer, 1538







# SAME AS....

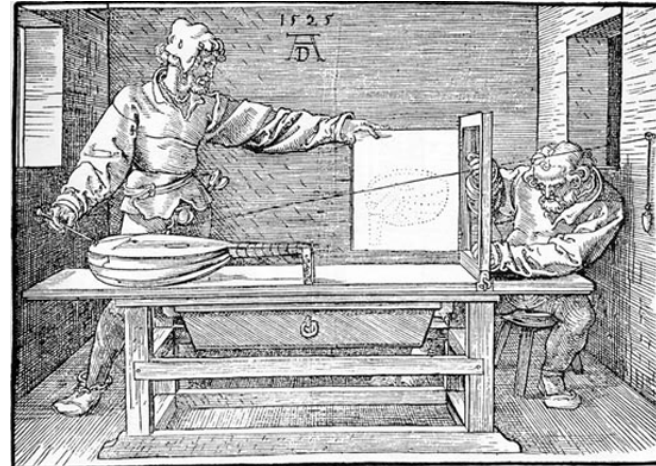
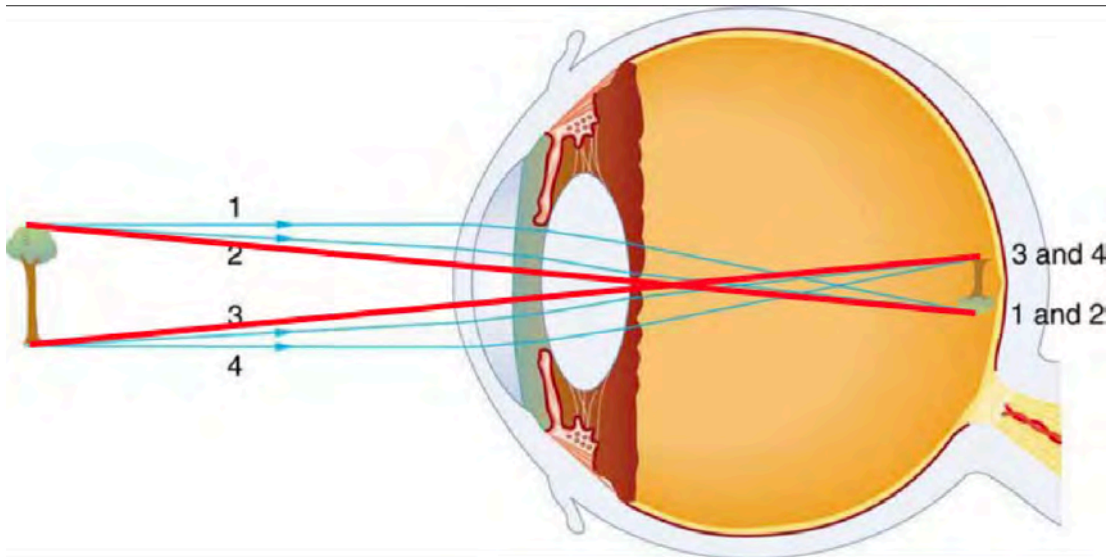
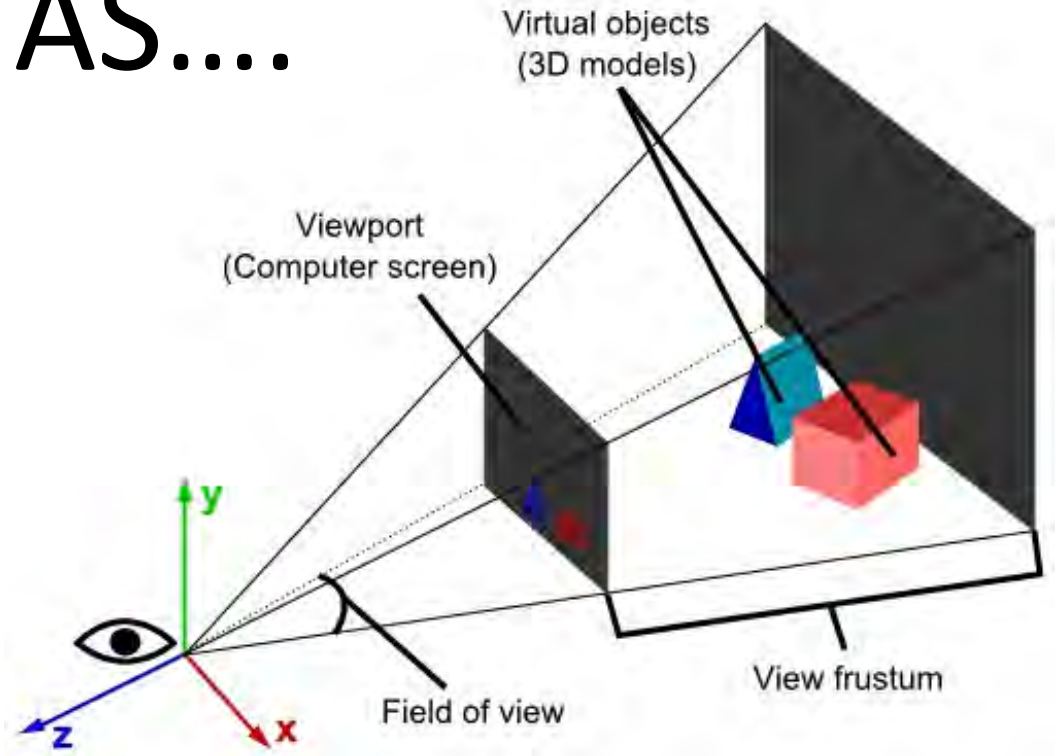
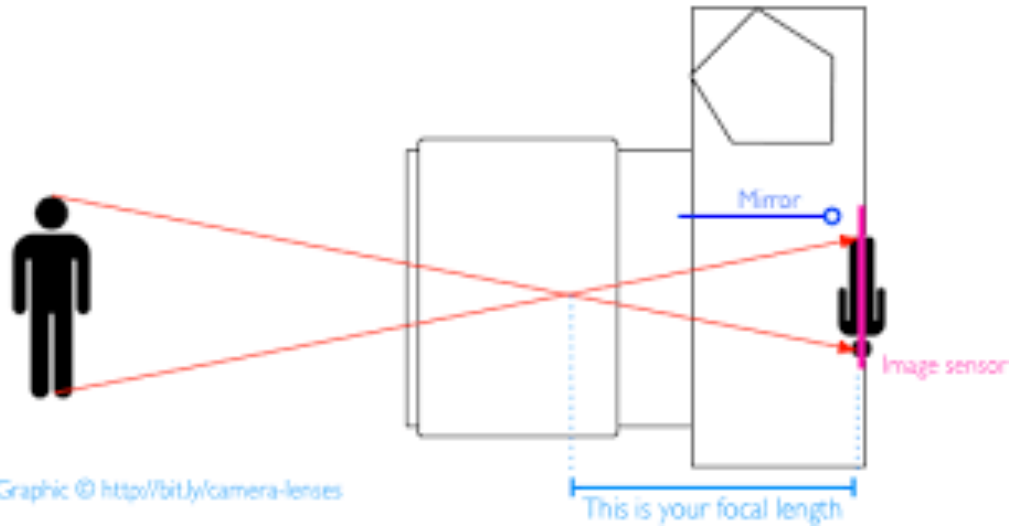
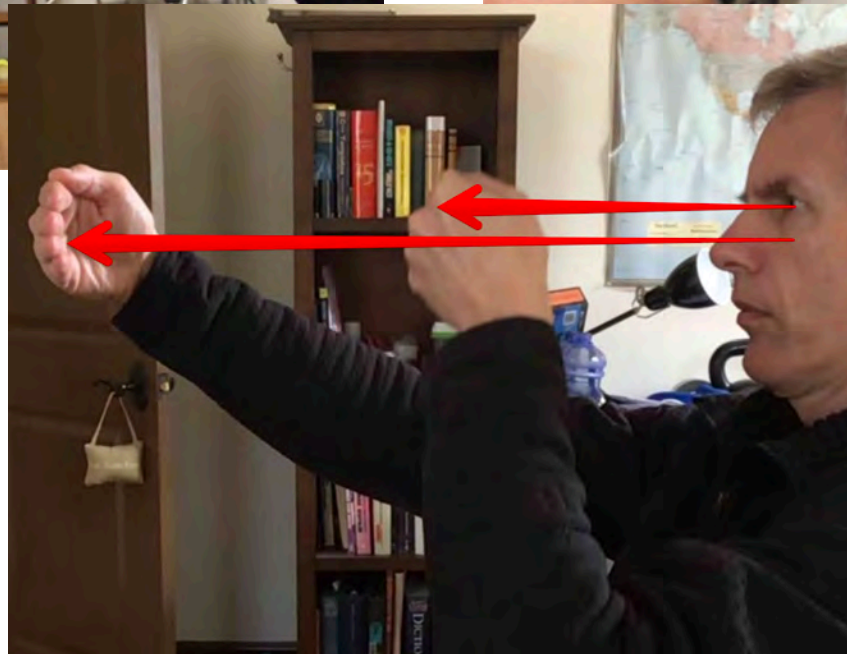
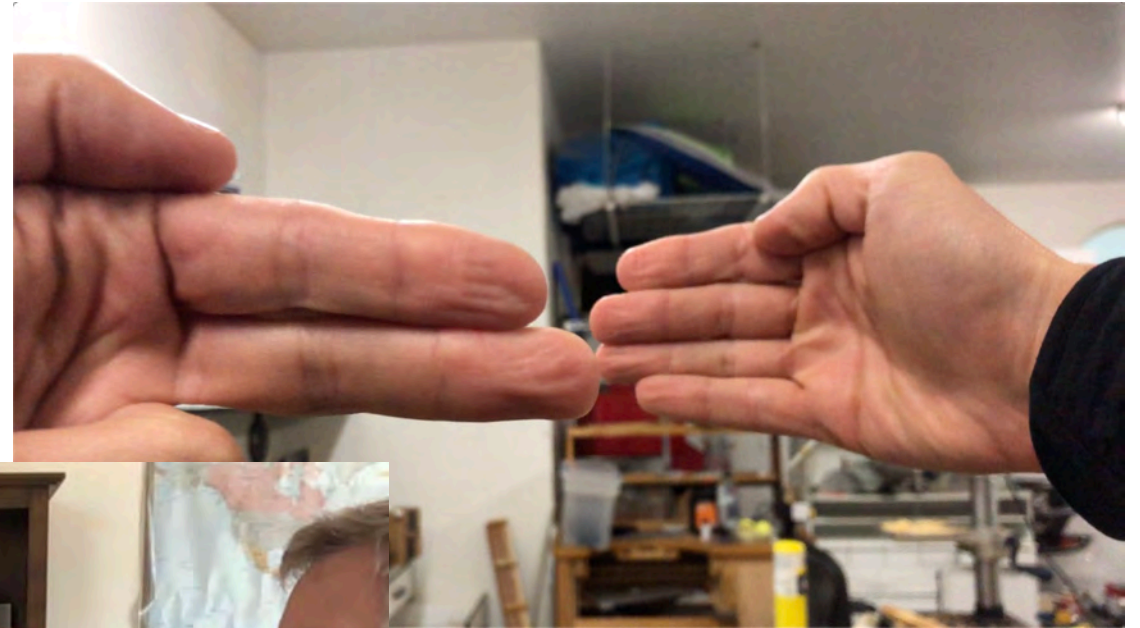


Image size = Actual size / Distance



# Intermediate/Advanced Perspective

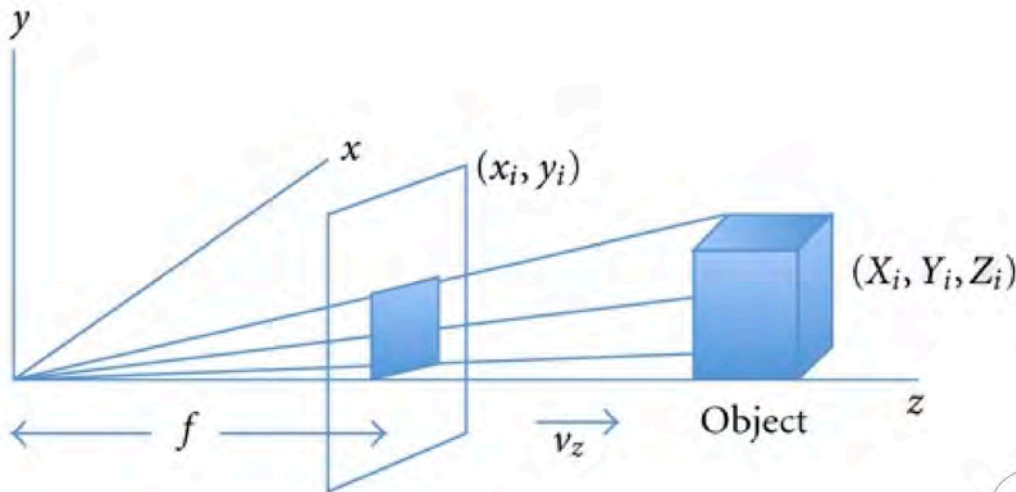
Image distance from  
point to image center

**=**

Actual perpendicular distance  
from point to centerline

**Focal Length**

**Distance Along Centerline**



**YOU CAN  
TEST THIS!**

# Consequences of real perspective

- Basic perspective (converging parallel lines) comes from intermediate perspective. It's not a law, it's just one consequence
- If there is a line of sight to something, and it's big and/or bright enough, **then you can see it**
- Perspective does not hide things.



# Beware of Rhetorical models!

- Rhetorical model = just a description
- Lower level than even basic models.
- Often used in memes:
- Example: “In the globe model water is curved, but water in a glass is flat, so the globe model is wrong”
- Rhetorical model’s don’t specify quantities or equations
- Ask “HOW MUCH?”
- Curve over 3” of water is about 0.000000018”, or 18 billionths of an inch. Not visible, so a glass of water does not invalidate the globe.





Beware of incomplete models



## Fluid statics

Main article: [Fluid statics](#)

[Fluid statics](#) or **hydrostatics** is the branch of fluid mechanics that studies [fluids](#) at rest. It embraces the study of the conditions under which fluids are at rest in [stable equilibrium](#); and is contrasted with [fluid dynamics](#), the study of fluids in motion.

Hydrostatics offers physical explanations for many phenomena of everyday life, such as why [atmospheric pressure](#) changes with [altitude](#), why wood and oil float on water, and why the surface of water is always level and horizontal whatever the shape of its container. Hydrostatics is fundamental to [hydraulics](#), the [engineering](#) of equipment for



[https://en.wikipedia.org/wiki/Hydrostatic\\_equilibrium](https://en.wikipedia.org/wiki/Hydrostatic_equilibrium)

In fluid mechanics, a fluid is said to be in **hydrostatic equilibrium** or **hydrostatic balance** when it is at rest, or when the flow velocity at each point is constant over time. This occurs when external forces such as **gravity** are balanced by a **pressure-gradient force**.<sup>[1]</sup> For instance, the pressure-gradient force prevents **gravity** from collapsing **Earth's atmosphere** into a thin, dense shell, whereas **gravity** prevents the pressure gradient force from diffusing the atmosphere into space.

# <https://en.wikipedia.org/wiki/Hydrostatics>

## Hydrostatic pressure [ edit ]

*See also: Vertical pressure variation*

In a fluid at rest, all frictional and inertial stresses vanish and the state of stress of the system is called *hydrostatic*. When this condition of  $V = 0$  is applied to the [Navier-Stokes equation](#), the gradient of pressure becomes a function of body forces only. For a [barotropic fluid](#) in a conservative force field like a gravitational force field, pressure exerted by a fluid at equilibrium becomes a function of force exerted by gravity.

The hydrostatic pressure can be determined from a control volume analysis of an infinitesimally small cube of fluid. Since [pressure](#) is defined as the force exerted on a test area ( $p = \frac{F}{A}$ , with  $p$ : pressure,  $F$ : force normal to area  $A$ ,  $A$ : area), and the only force acting on any such small cube of fluid is the weight of the fluid column above it, hydrostatic pressure can be calculated according to the following formula:

$$p(z) - p(z_0) = \frac{1}{A} \int_{z_0}^z dz' \iint_A dx' dy' \rho(z') \underline{g(z')} = \int_{z_0}^z dz' \rho(z') \underline{g(z')},$$

# Vertical pressure variation

From Wikipedia, the free encyclopedia

**Vertical pressure variation** is the variation in [pressure](#) as a function of [elevation](#). Depending on the [fluid](#) in question and the context being referred to, it may also vary significantly in dimensions perpendicular to elevation as well, and these variations have relevance in the context of [pressure gradient force](#) and its effects. However, the vertical variation is especially significant, as it results from the pull of [gravity](#) on the fluid; namely, for the same given fluid, a decrease in elevation within it corresponds to a taller column of fluid weighing down on that point.

## Contents [\[hide\]](#)

- [1 Basic formula](#)
- [2 Hydrostatic paradox](#)
- [3 In the context of Earth's atmosphere](#)
- [4 See also](#)
- [5 References](#)

## Basic formula [\[edit\]](#)

A relatively simple version <sup>[1]</sup> of the vertical fluid pressure variation is simply that the pressure difference between two elevations is the product of elevation change, [gravity](#), and [density](#). The equation is as follows:

$$\frac{dP}{dh} = -\rho g, \text{ and}$$



# Pressure-gradient force

---

From Wikipedia, the free encyclopedia

The **pressure-gradient force** is the force that results when there is a difference in pressure across a surface. In general, a **pressure** is a force per unit area, across a surface. A difference in pressure across a surface then implies a difference in **force**, which can result in an **acceleration** according to **Newton's second law of motion**, if there is no additional force to balance it. The resulting force is always directed from the region of higher-pressure to the region of lower-pressure. When a fluid is in an equilibrium state (i.e. there are no net forces, and no acceleration), the system is referred to as being in **hydrostatic equilibrium**. **In the case of atmospheres, the pressure gradient force is balanced by the gravitational force, maintaining hydrostatic equilibrium.** In **Earth's atmosphere**, for example, air pressure decreases at altitudes above Earth's surface, thus providing a pressure gradient force which counteracts the force of gravity on the atmosphere.

Explains why the atmosphere has pressure and does not fly off into space.

**“LEVEL”**

---

# LEVEL

- BASIC
  - It's flat, horizontal.
- INTERMEDIATE
  - At right angles to a plumb line
  - Always parallel to a spirit level
  - Varies by location
- ADVANCED
  - Geopotential isosurface, or something.



OLD SURVEYING BOOKS AGREE

LEVEL = CURVED

(ON LARGE ENOUGH SCALES)

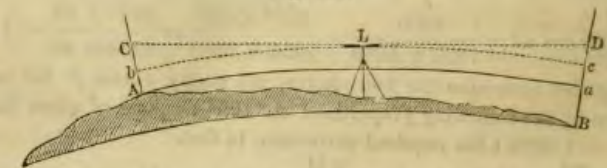
*Levelling* is the art of determining the difference or differences of level of two or more places.

In consequence of the globular figure of the earth, a level surface is not, as it appears to be, a plane surface. It is nearly, though not exactly, spherical. In the ope-

independently of the correction of apparent level.

Let CD, Fig. 121, be the line of apparent level indi-

Fig. 121.



cated by a levelling instrument L, placed midway between the places A and B; also let the arc *bc* be the

# LEVELLING.

Plate XIII. fig. 2.

**L**EVELLING is the art of ascertaining the perpendicular ascent or descent of one place (or more) above or below the horizontal level of another, for various intentions; and of marking out courses for the conveyance of water, &c.

The *true level* is a curve conforming to the surface of the earth; as ABG.

The *apparent level* is a tangent to that curve; as ADE.

*A treatise on surveying and navigation* - Robinson, Horatio  
N, 1858

LEVELING.



## CHAPTER VIII.

### LEVELING.

Two or more points are said to be on a level, when they are equally distant from the center of the earth, or when they are equally distant from a tranquil fluid, situated immediately below them. A level surface on the earth, is nearly spherical, and is not a plane; it is everywhere *perpendicular to a plumb line*.

Any small portion of a true level surface, cannot be distinguished from a plane; and, therefore, when observations are taken in respect to level, within short distances of each other, the spherical form of the earth is disregarded, and the level treated as a plane. But when any considerable portion of surface is taken into account, the curvature of the earth's surface must be considered.



CHAPTER VII.

*LEVELLING AND CONTOURING.*

**Levelling.** **LEVELLING** is the art of determining the relative altitudes of points on the Earth's surface.

Were the Earth a true sphere, the altitude of a point might be defined as its distance from the Earth's centre; but, as it is spheroidal in shape, the definition is not exact in a general sense, though it is nearly so as regards a limited area. If a long pipe A B (fig. 146) were laid, from one place to another, with vertical pipes at intervals, and filled with water, the altitude of the water-surfaces in the upright tubes would be equal when the water has come to rest. Further, if a network of

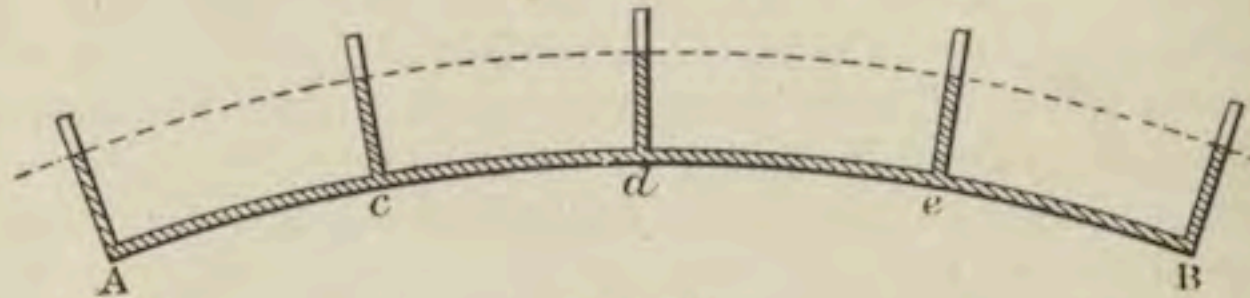


FIG. 146.

pipes were laid over a given area, connected together, and provided with upright pipes, the water-surface in each and every pipe would stand at the same altitude.

**40. Curvature and refraction.** The effect of curvature and refraction is shown as follows: In the exaggerated figure let  $A$

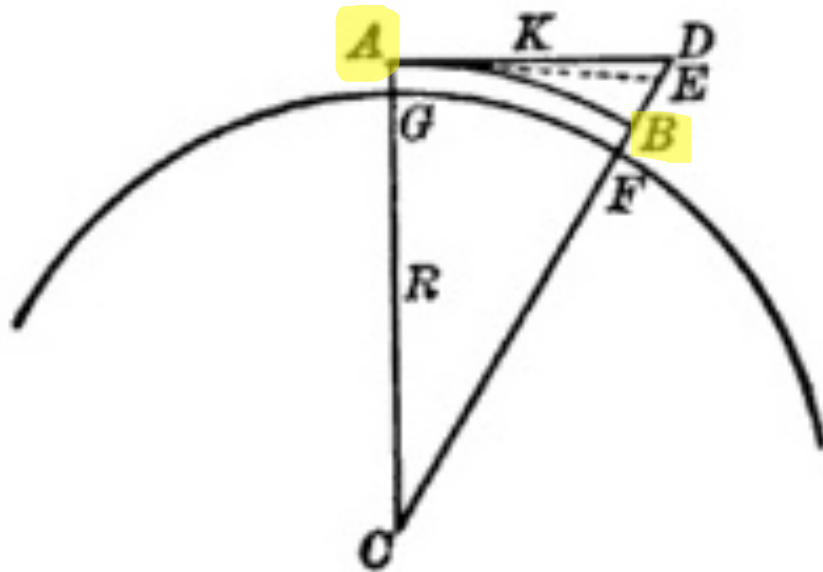


FIG. 34.

be a point in the line of sight of a level telescope. Let  $FD$  be a normal to the earth's surface, at some distance  $K$ , — approximately equal to  $AB$ ,  $GF$ , or  $AD$ , — from the instrument. The level line through  $A$  cuts the normal at  $B$ , while the horizontal line of sight cuts it at  $D$ .  $DB$  is



wherein are itaves; and on this foot is placed the box.

**LEVELLING**, the finding a line parallel to the horizon, at one or more stations, and so to determine the height of one place with regard to another. See **LEVEL**.

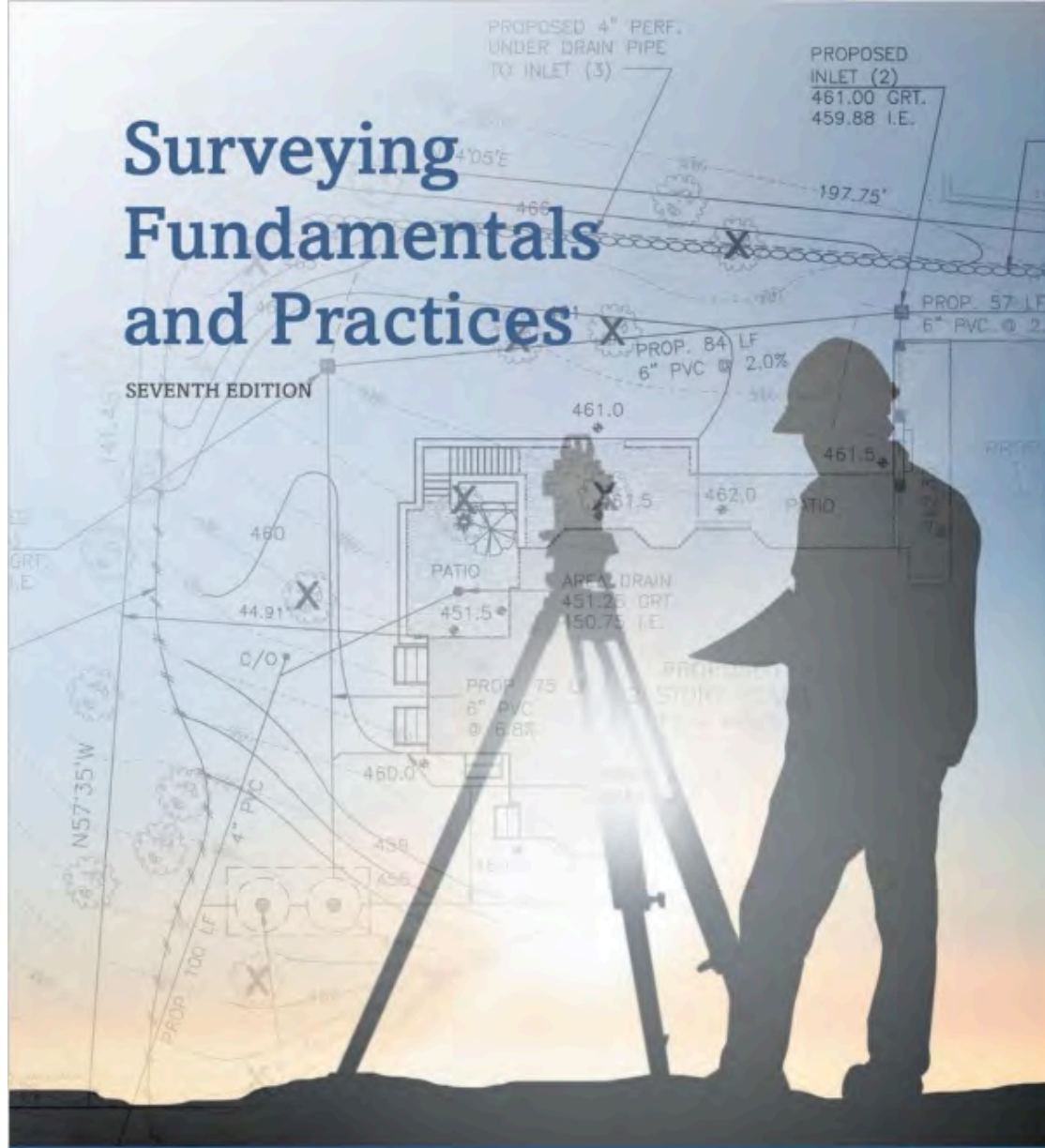
A truly level surface is a segment of any spherical surface which is concentric to the globe of the earth. A true line of level is an arch of a great circle which is imagined, to be described upon a truly level surface.

The apparent level is a straight line drawn tangent to an arch or line of true level. Every point of the apparent level, except the point of contact, is higher than the true level: thus (plate **LXXIX. fig. 13.**) let **EAG** be an arch of a great circle drawn upon the earth; to a person



# Surveying Fundamentals and Practices

SEVENTH EDITION



Jerry A. Nathanson  
Michael T. Lanzafama  
Philip Kissam

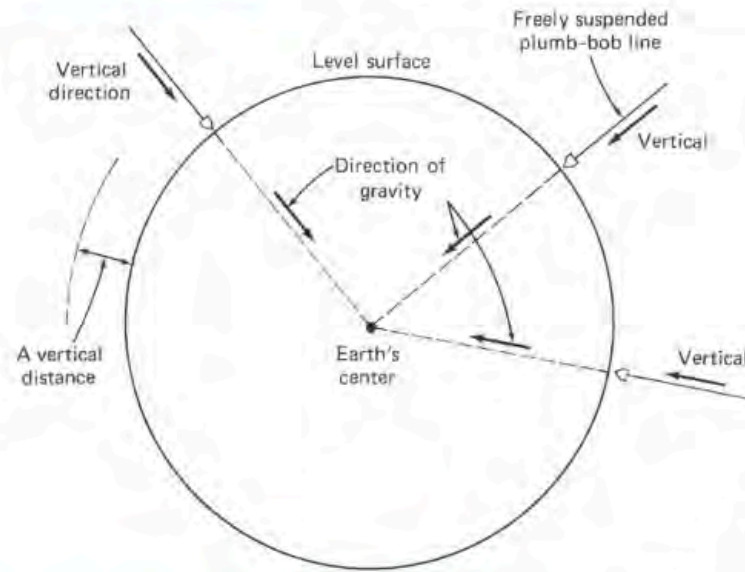


FIGURE 1-4. The vertical direction is defined as the direction of the force of gravity.

## Defining Horizontal and Vertical Directions

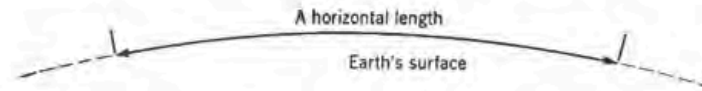
The earth actually has the approximate shape of an *oblate spheroid*, that is, the solid generated by an ellipse rotated on its minor axis. Its polar axis of rotation is slightly shorter than an axis passing through the equator. But for our purposes, we can consider the earth to be a perfect *sphere* with a constant diameter. In fact, we can ignore, for the time being, surface irregularities like mountains and valleys. And we can consider that the surface of the sphere is represented by the average level of the ocean, or *mean sea level*.

By definition, the curved surface of the sphere is termed a *level surface*. The direction of gravity is perpendicular or normal to this level surface at all points, and *gravity* is used as a reference direction for all surveying measurements. The direction of gravity is easily established in the field by a freely suspended *plumb line*, which is simply a weight, or *plumb bob*, attached to

the end of a string. The direction of gravity is different at every position on the earth's surface. As shown in Figure 1-4, the direction of all plumb lines converge at the center of the earth; at no points are the plumb lines actually parallel.

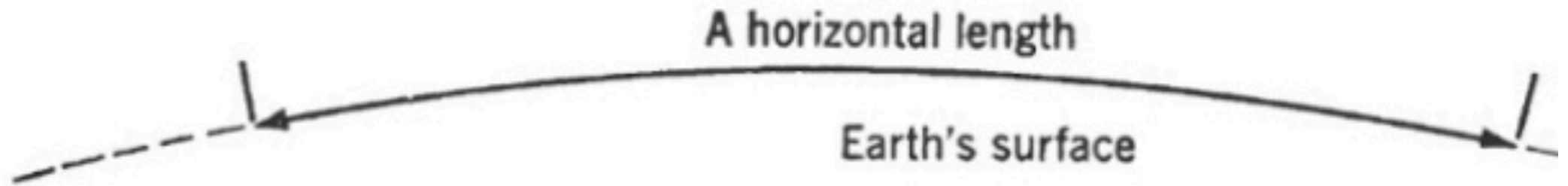
The *vertical direction* is taken to be the direction of gravity. Therefore, it is incorrect to define vertical as simply "straight up and down," as many beginning students tend to do. The vertical direction varies from point to point on the earth's surface. The only common factor is the direction of gravity.

By definition, the *horizontal direction* is the direction perpendicular (at an angle of 90°) to the vertical direction of gravity. Because the vertical direction varies from point to point, the horizontal direction also does. A horizontal length or distance, then, is not really a perfectly straight line. It is curved like the surface of the earth. This is illustrated in Figure 1-5.





By definition, the curved surface of the sphere is termed a *level surface*. The direction of gravity is perpendicular or normal to this level surface at all points, and *gravity* is used as a reference direction for all surveying measurements. The direction of gravity is easily established in the field by a freely suspended *plumb line*, which is simply a weight, or *plumb bob*, attached to



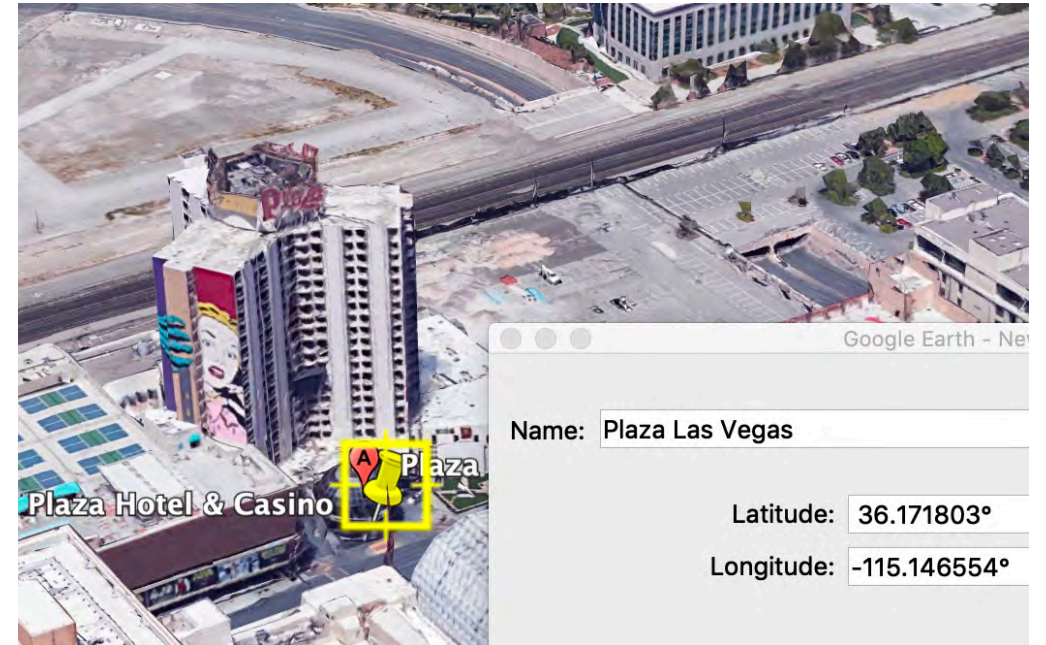
# WHY I BELIEVE THE STANDARD MODEL

## #1 – Latitude and Longitude



# Latitude and Longitude Work

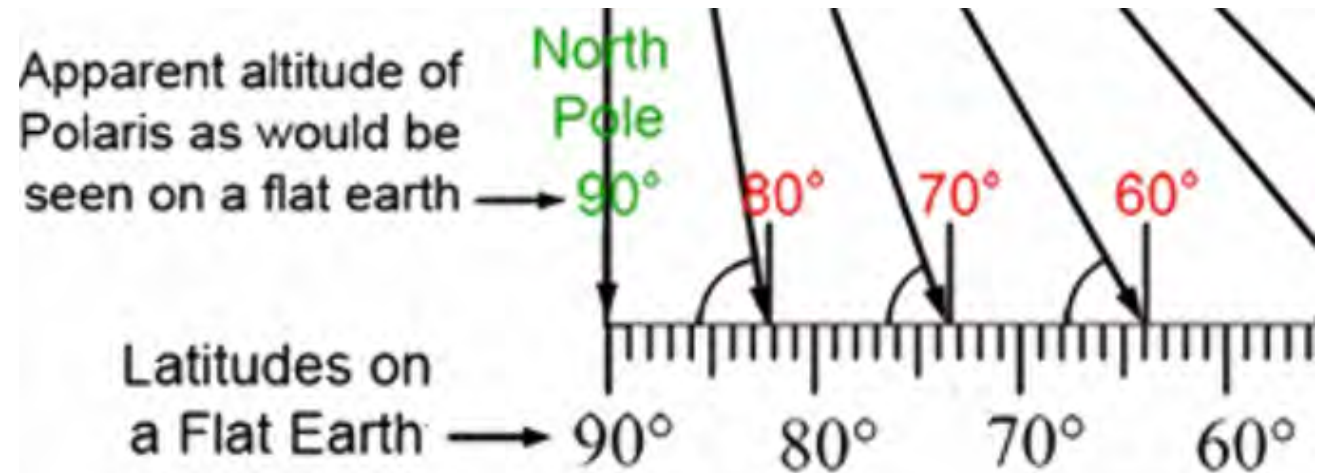
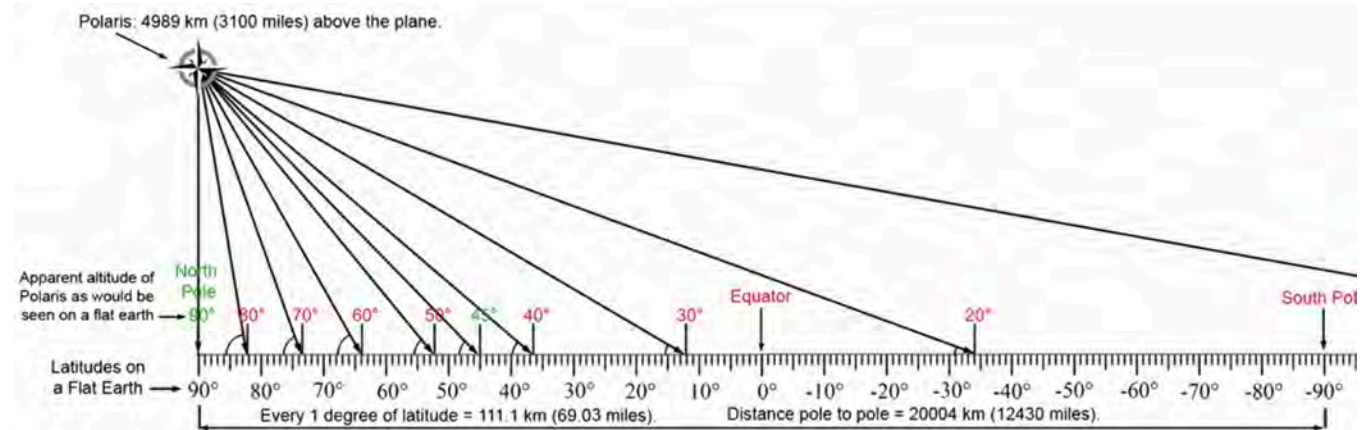
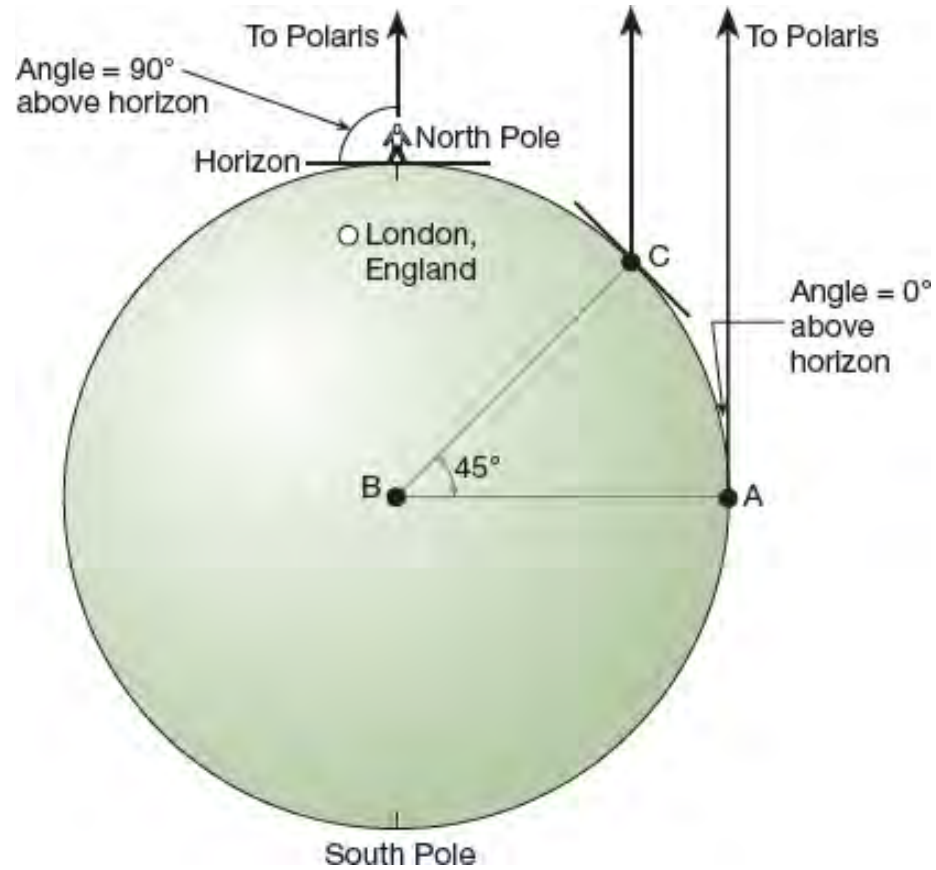
- Specifies any point on Earth's surface
- Fixed values, don't change
- Been used for navigation for centuries
- You use it for navigation, in GPS in phone or car



# Latitude = Distance from the Equator

- Latitude of the Equator is  $0^\circ$
- Latitude goes from  $-90^\circ$  (south of equator)
- To  $90^\circ$  (the North pole)
- $1^\circ$  of latitude is about 69 miles
  - (Polar circumference of Earth 24860 / 360 degrees = 69.055)
- Verifiable with your car. Find a straight N/S road.
- Basic = Sphere, Advanced = WGS84 Ellipsoid

# Measuring Latitude with Polaris



# Polaris, the wandering star, slightly

- Polaris is not fixed!
- And I don't mean precession
  - (although that's real too)
- Polaris is not at  $90^\circ$ , it's at  $89.25^\circ$
- Take a star trail photo zoomed in, Polaris will make a little circle





# Or just use your GPS

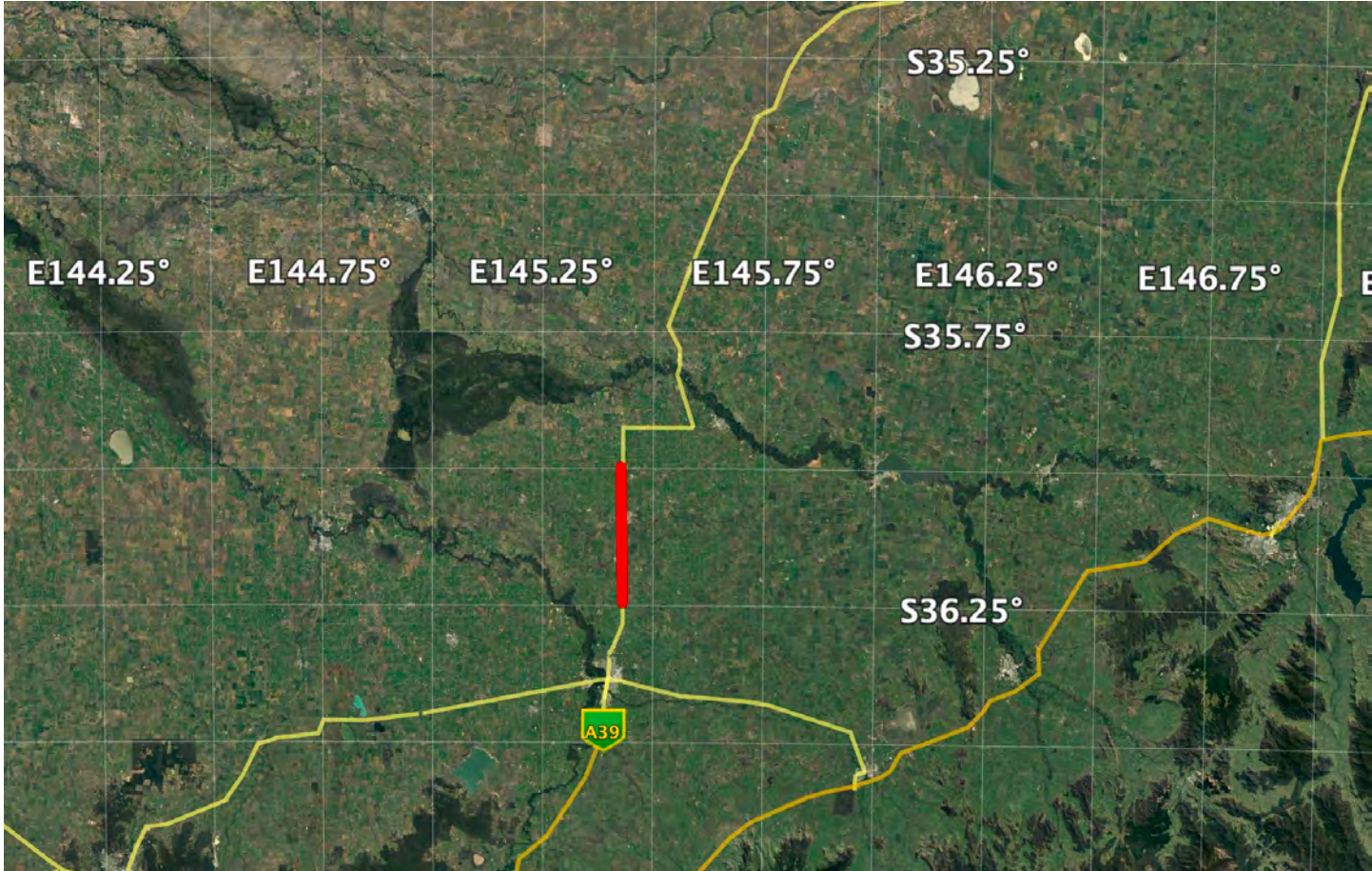
- We know it works from experience.
- Places have fixed latitude and longitude
- We see those latitude and longitude on the map
- Places don't move
- Every measurement ever done with Polaris matches this.

# Testing Latitude - Kansas





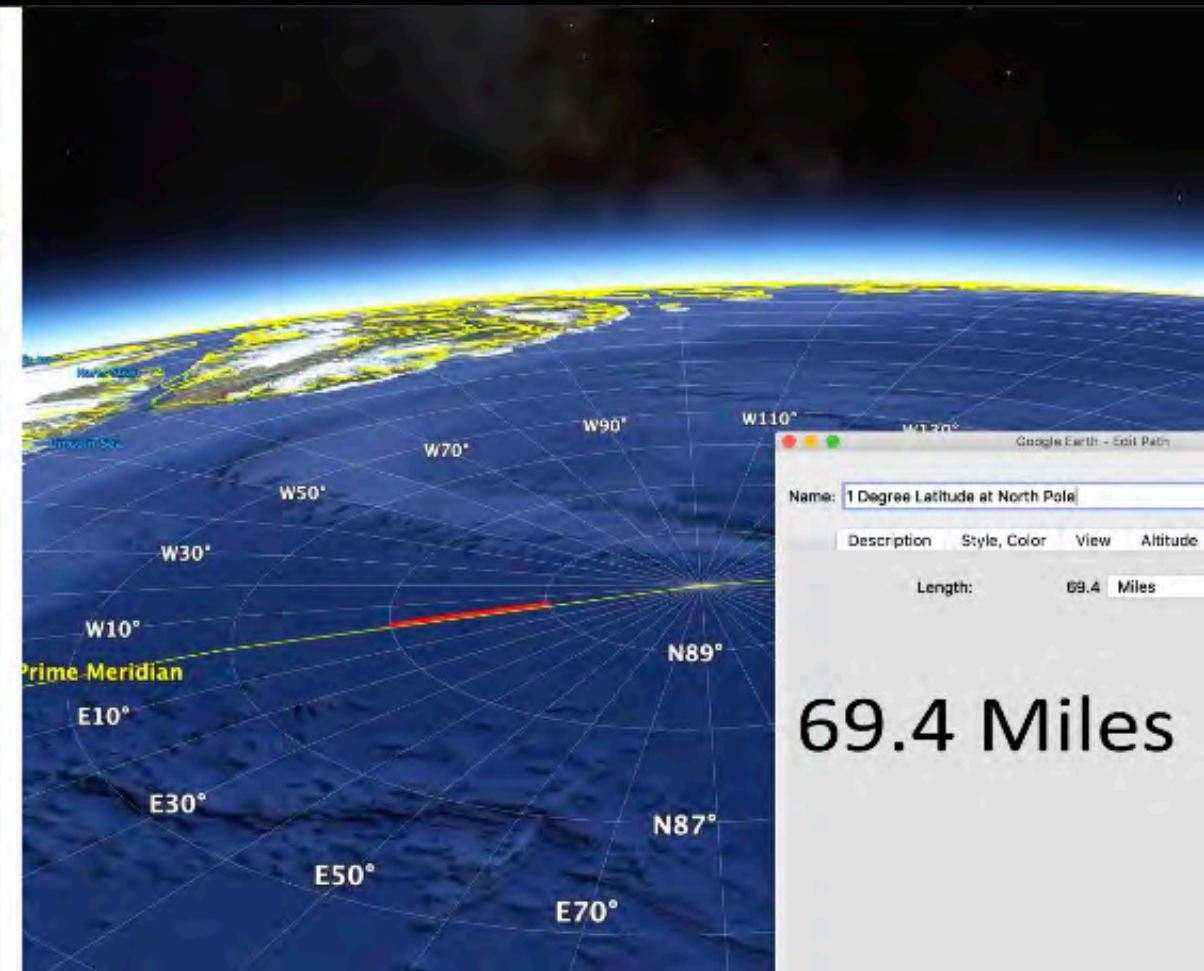
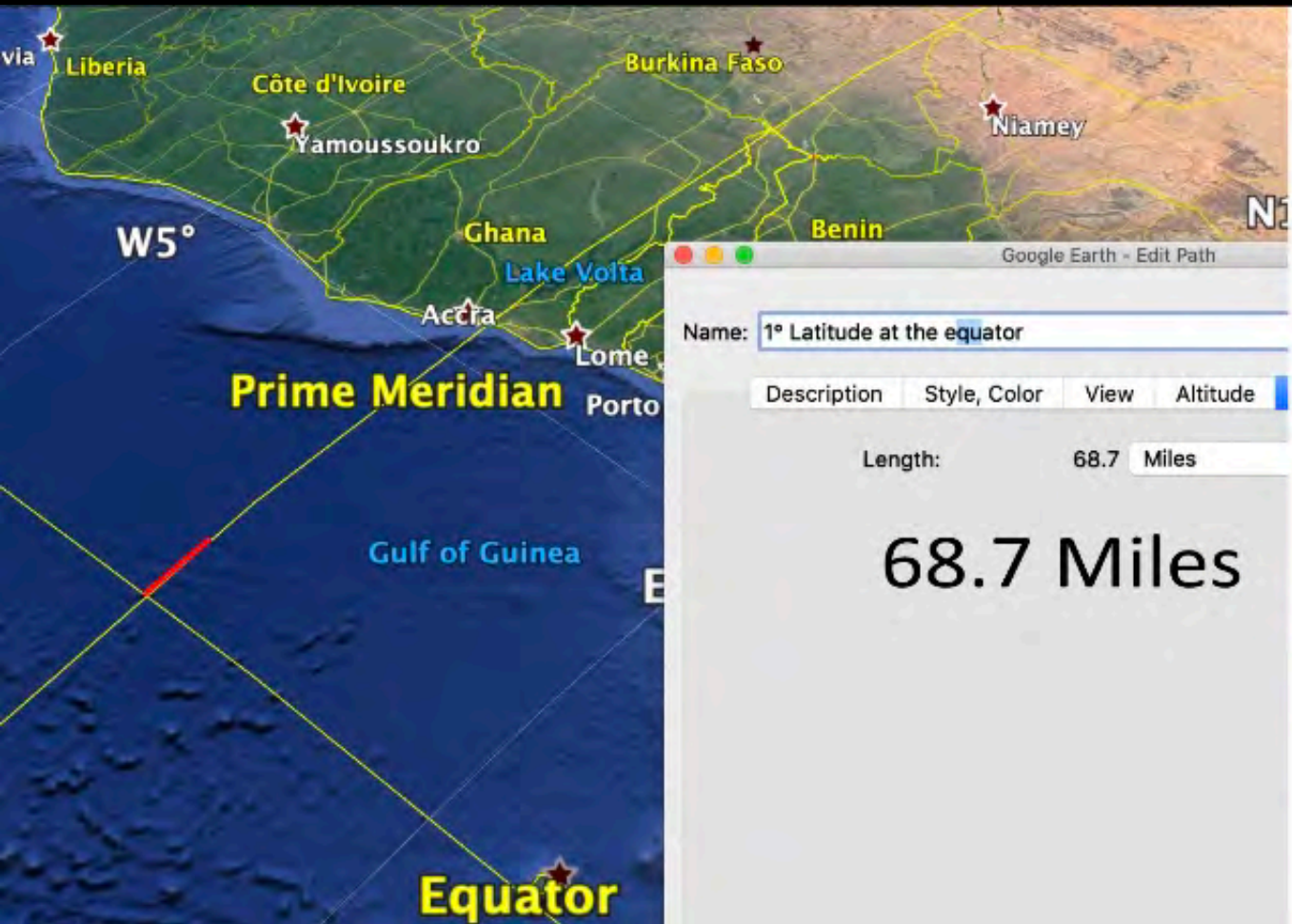
# Testing Latitude - Australia



# Advanced Latitude Observations – WGS84

- 1° of Latitude is not exactly 69.055.
- It's varies from 68.7 miles at the equator, to 69.4 at the poles
- You can see this in Google Earth, and in any mapping software



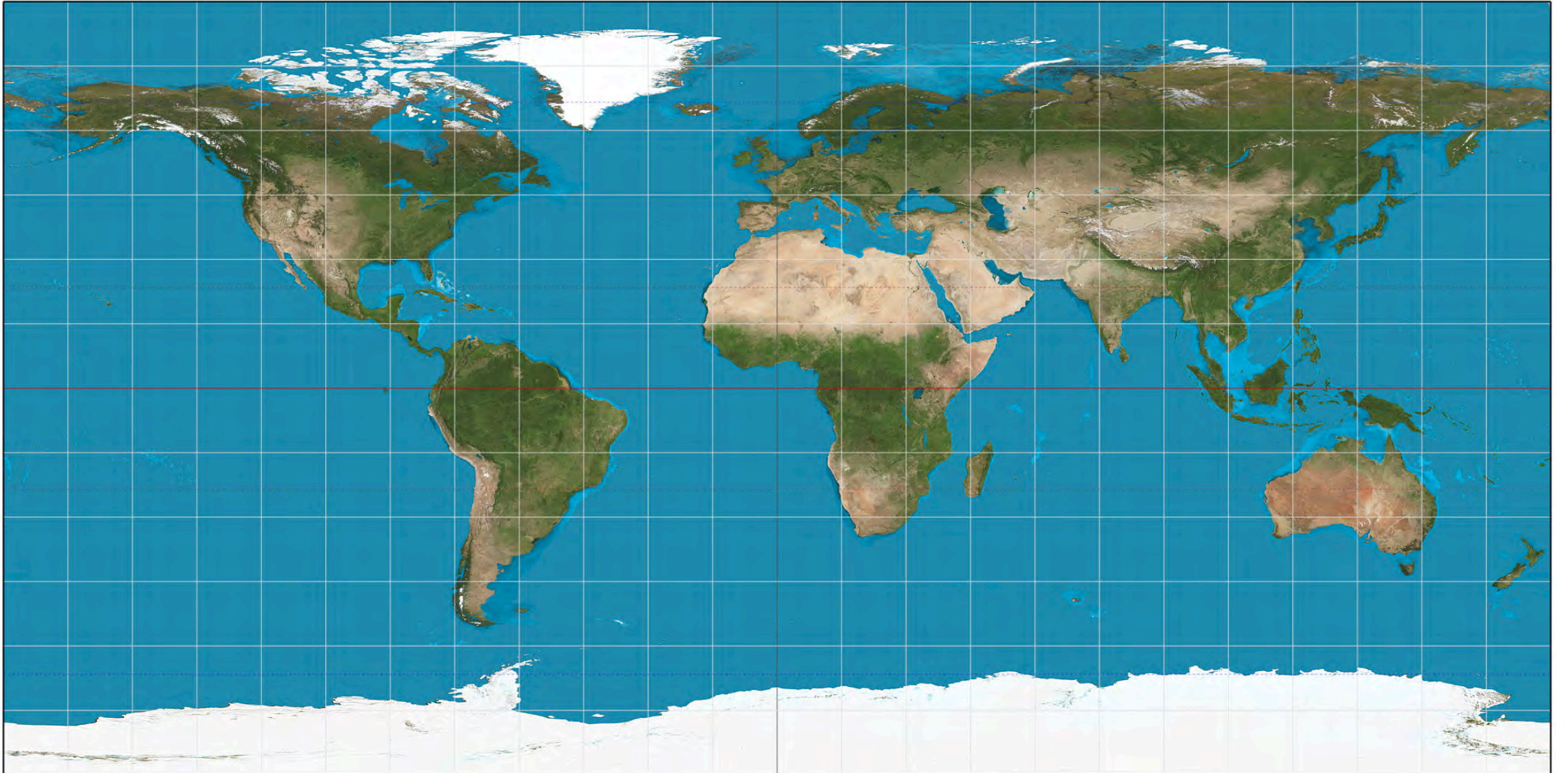


# Advanced Latitude Observations – WGS84

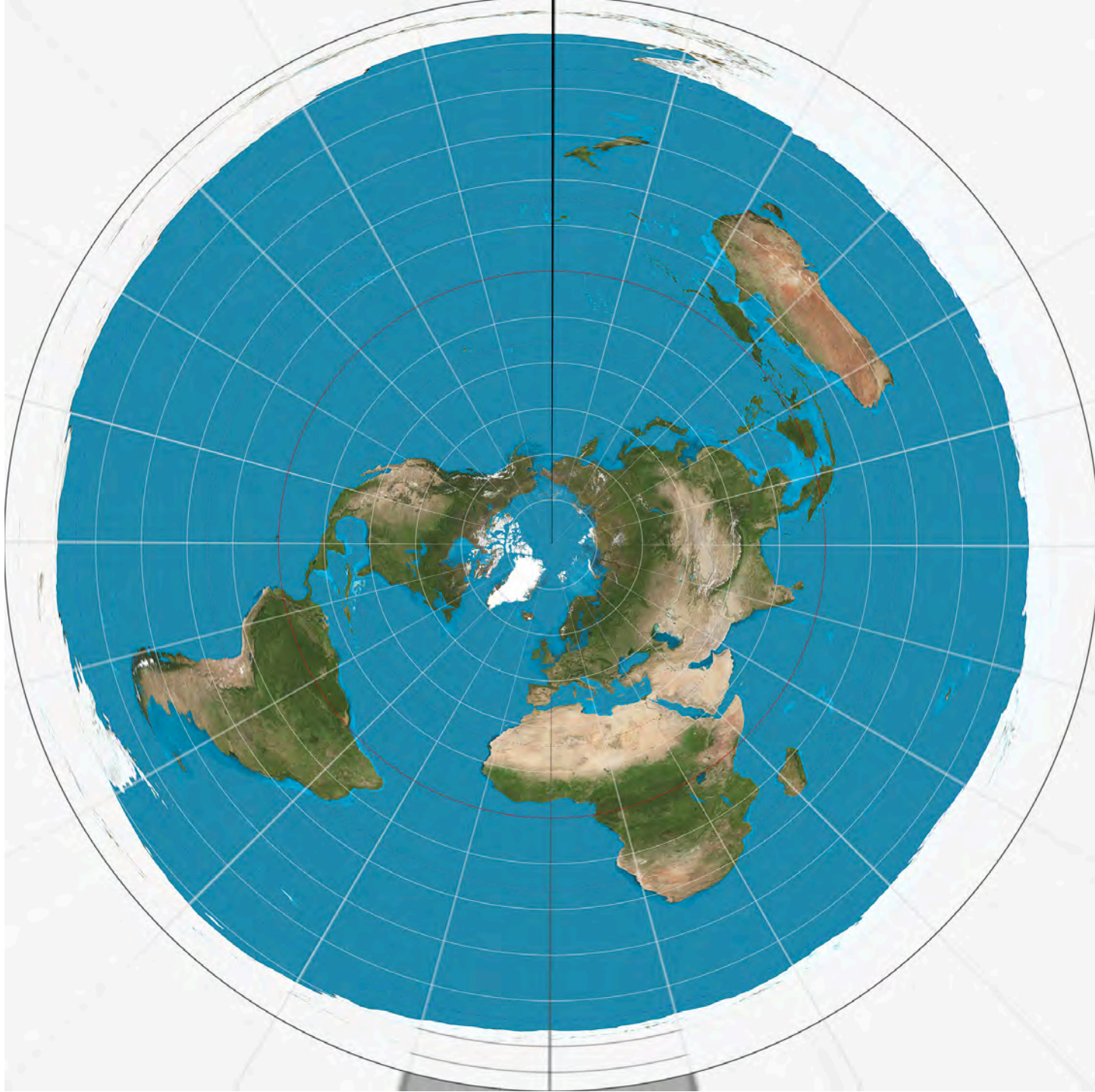
- 1° of Latitude is not exactly 69.055.
- It's varies from 68.7 miles at the equator, to 69.4 at the poles
- You can see this in Google Earth, and in any mapping software
- You could in theory measure it yourself, but it's a small change.
- The change in length matches the WGS84 Ellipsoid exactly
- So it's consistent with the standard model, exactly
- But latitude is the LEAST of the problems for the flat model...



# How Long is Longitude?

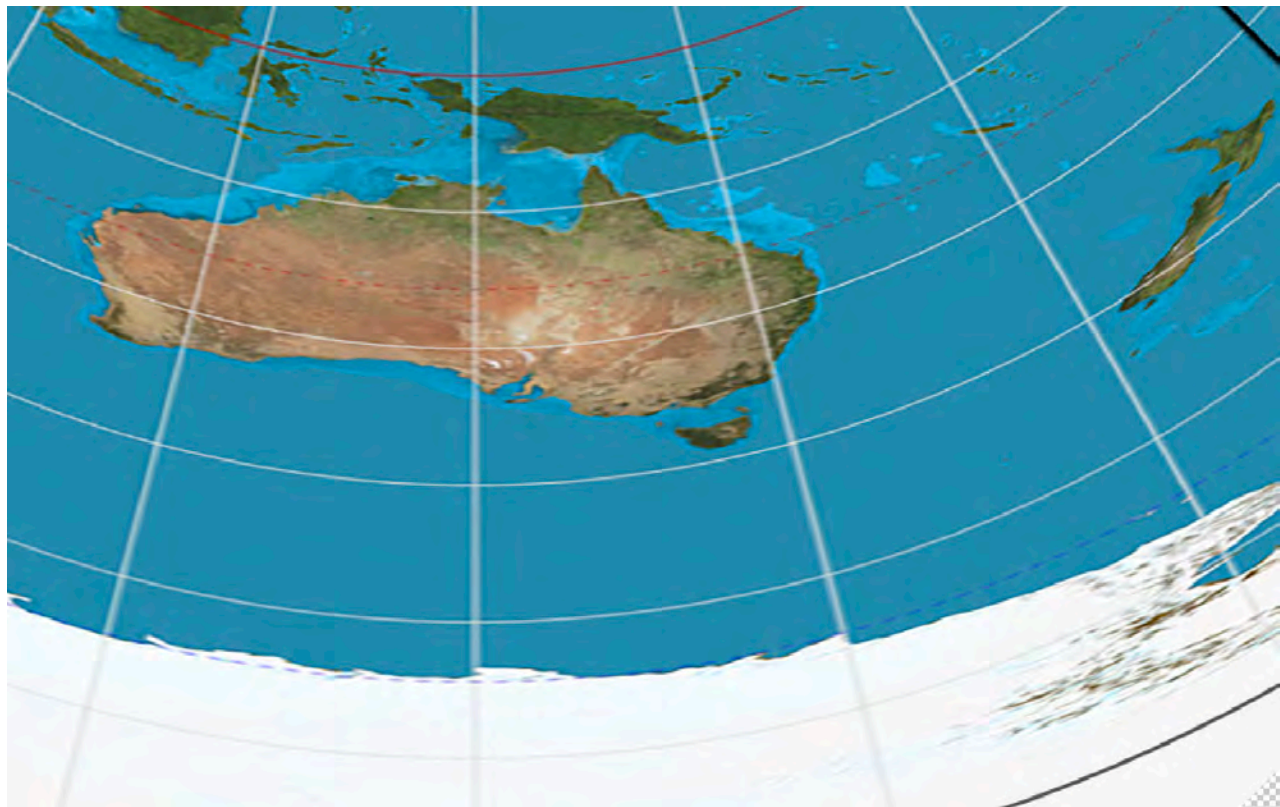




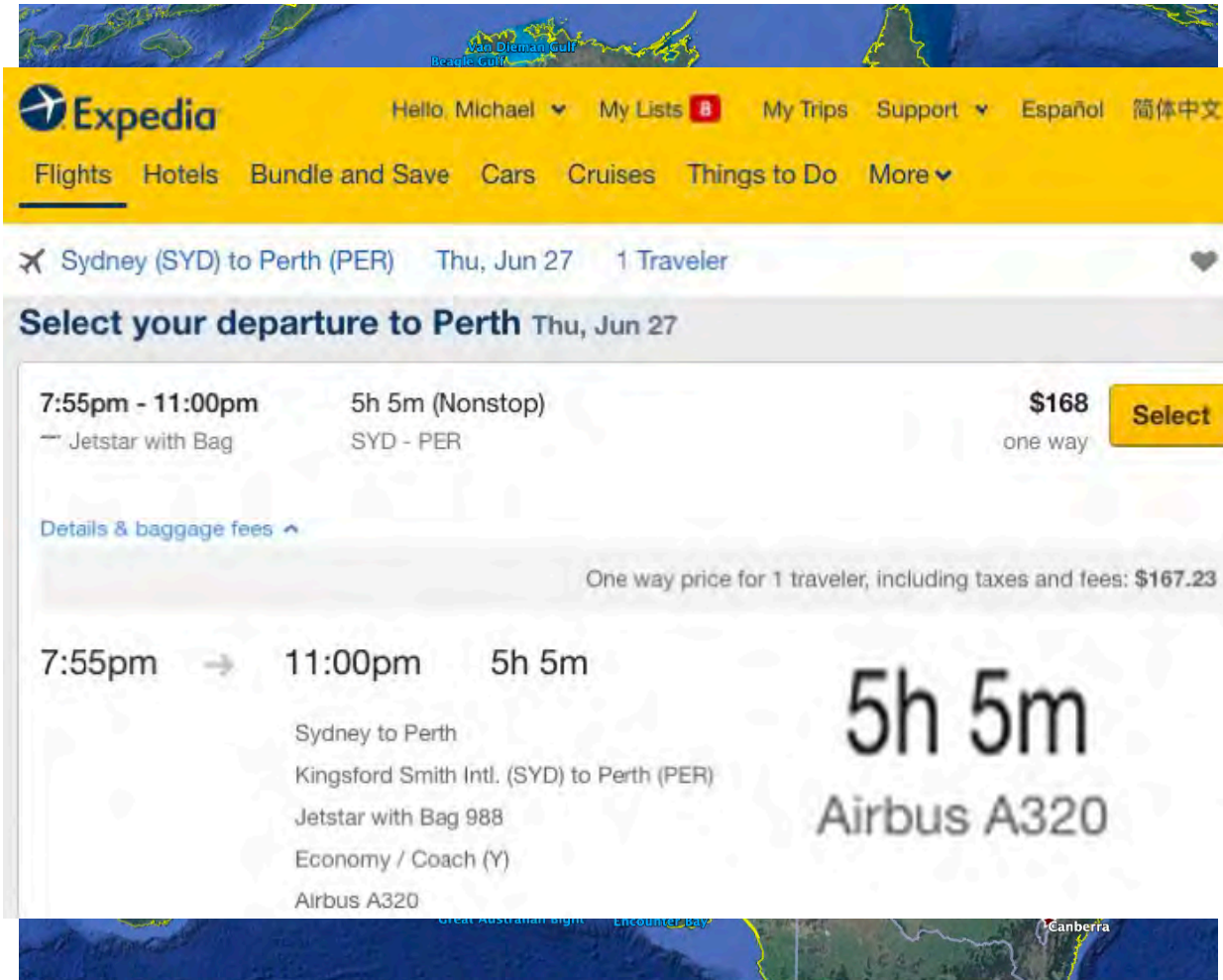




# The Problem



# Have you measured Australia?



Expedia Hello, Michael My Lists 8 My Trips Support Español 简体中文

Flights Hotels Bundle and Save Cars Cruises Things to Do More

✈ Sydney (SYD) to Perth (PER) Thu, Jun 27 1 Traveler

Select your departure to Perth Thu, Jun 27

Time	Duration	Price	Action
7:55pm - 11:00pm	5h 5m (Nonstop)	\$168	Select

Jetstar with Bag SYD - PER one way

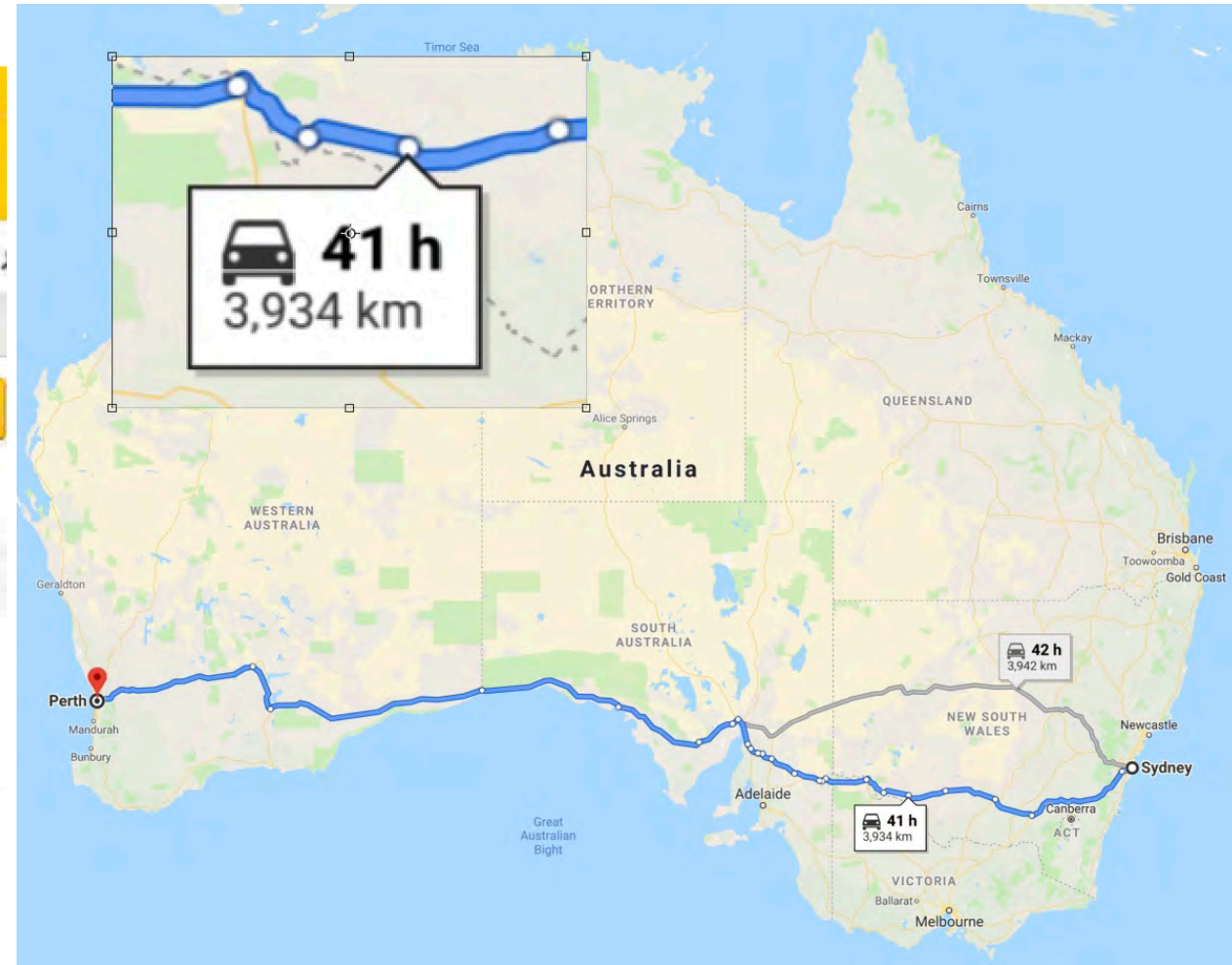
Details & baggage fees

One way price for 1 traveler, including taxes and fees: \$167.23

7:55pm → 11:00pm 5h 5m

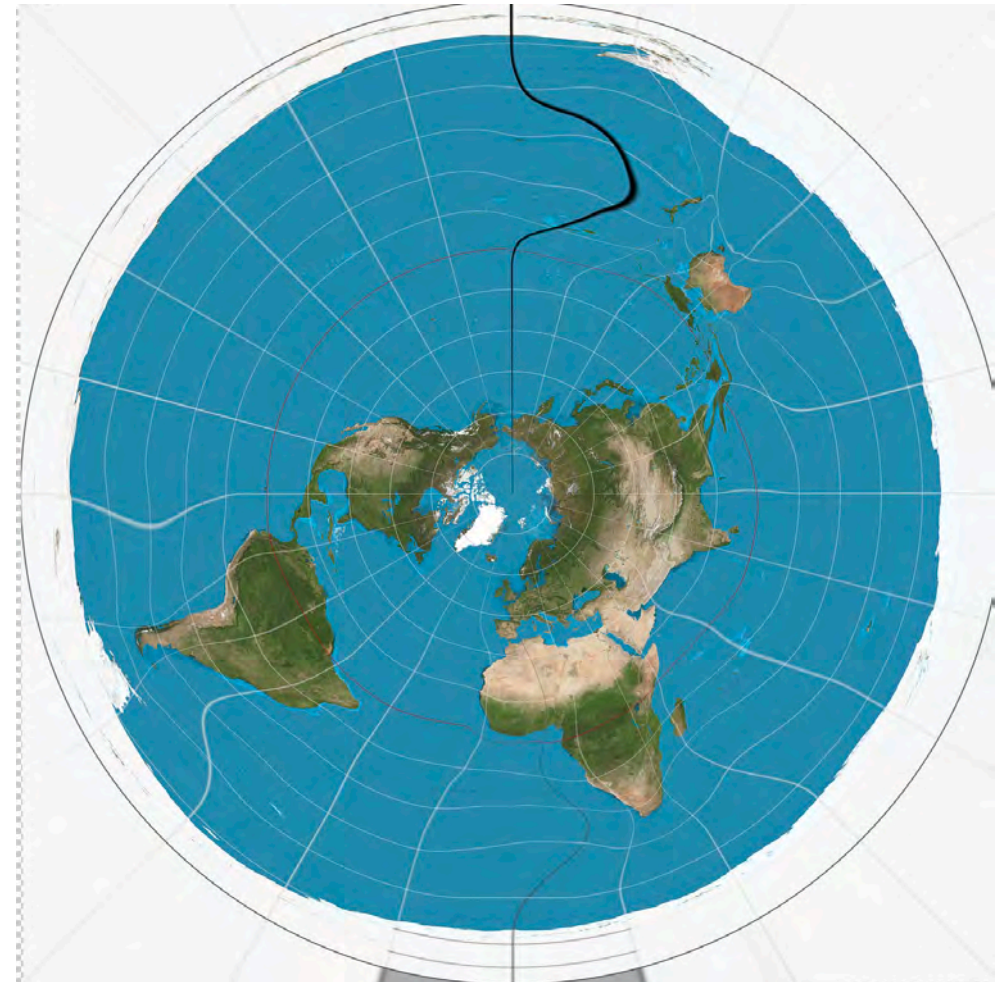
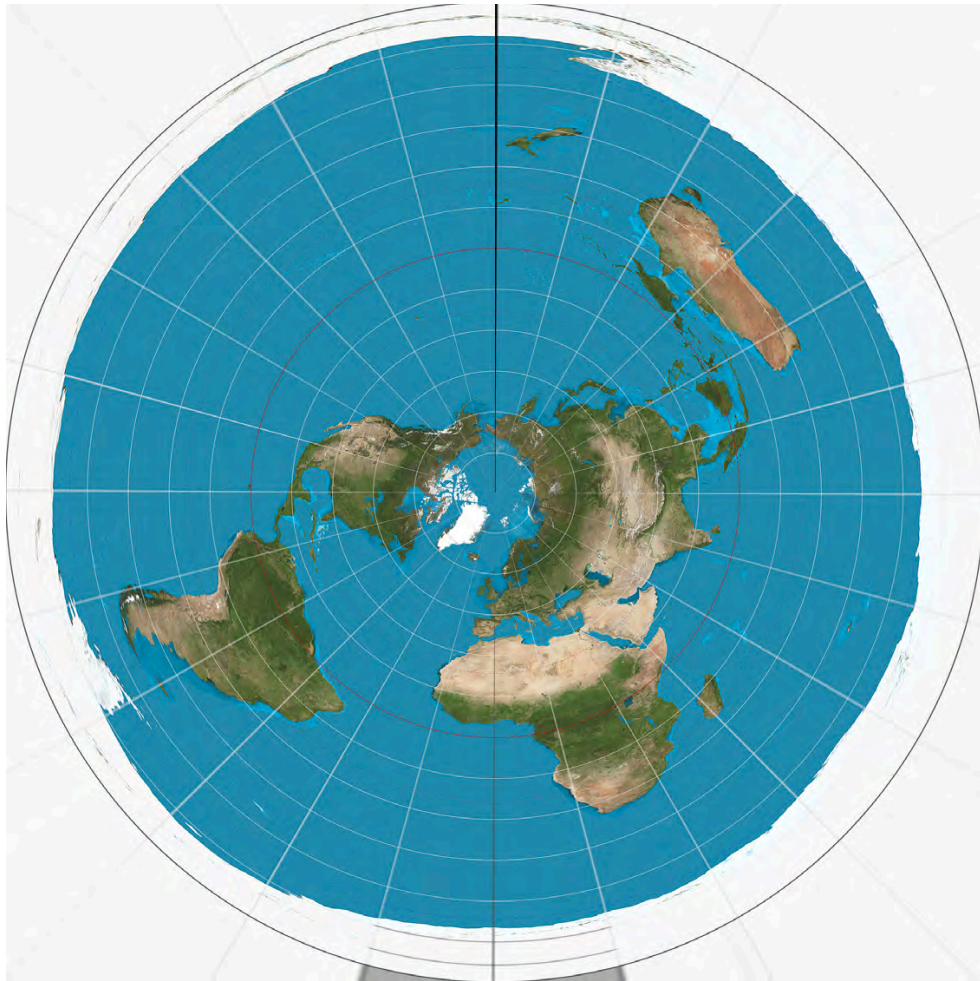
Sydney to Perth  
Kingsford Smith Intl. (SYD) to Perth (PER)  
Jetstar with Bag 988  
Economy / Coach (Y)  
Airbus A320

**5h 5m**  
Airbus A320





# There Can Be Only One!



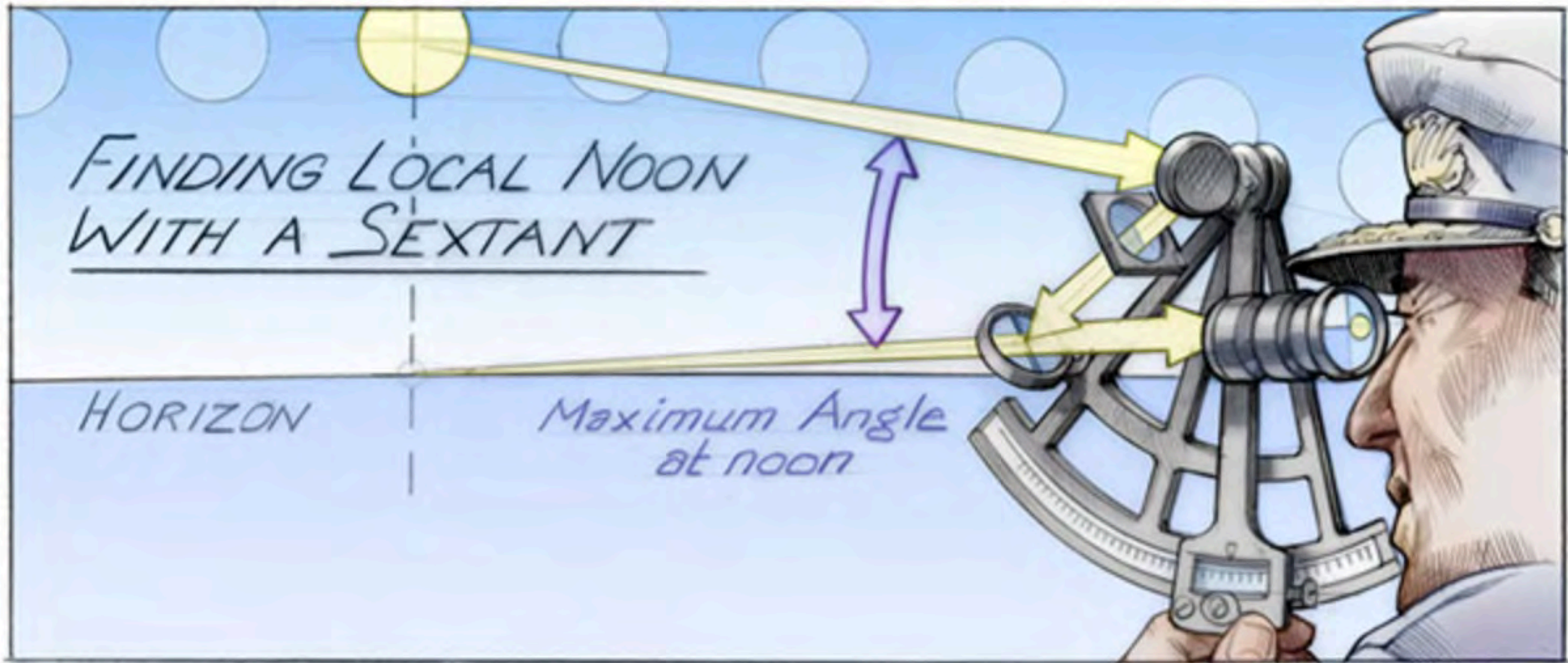
# Longitude is Time!



*Harrison #4 Type Chronometer K1 , Cpt. James Cook*







- Wait for local noon (time of highest sun)
- See what time it is in London
- Difference in minutes / 4 = Longitude
- Example:
  - Local noon is at 2:40PM London time
  - Time difference is 160 minutes / 4 = 40° Longitude





11:24:00  
/

11:58:00  
/

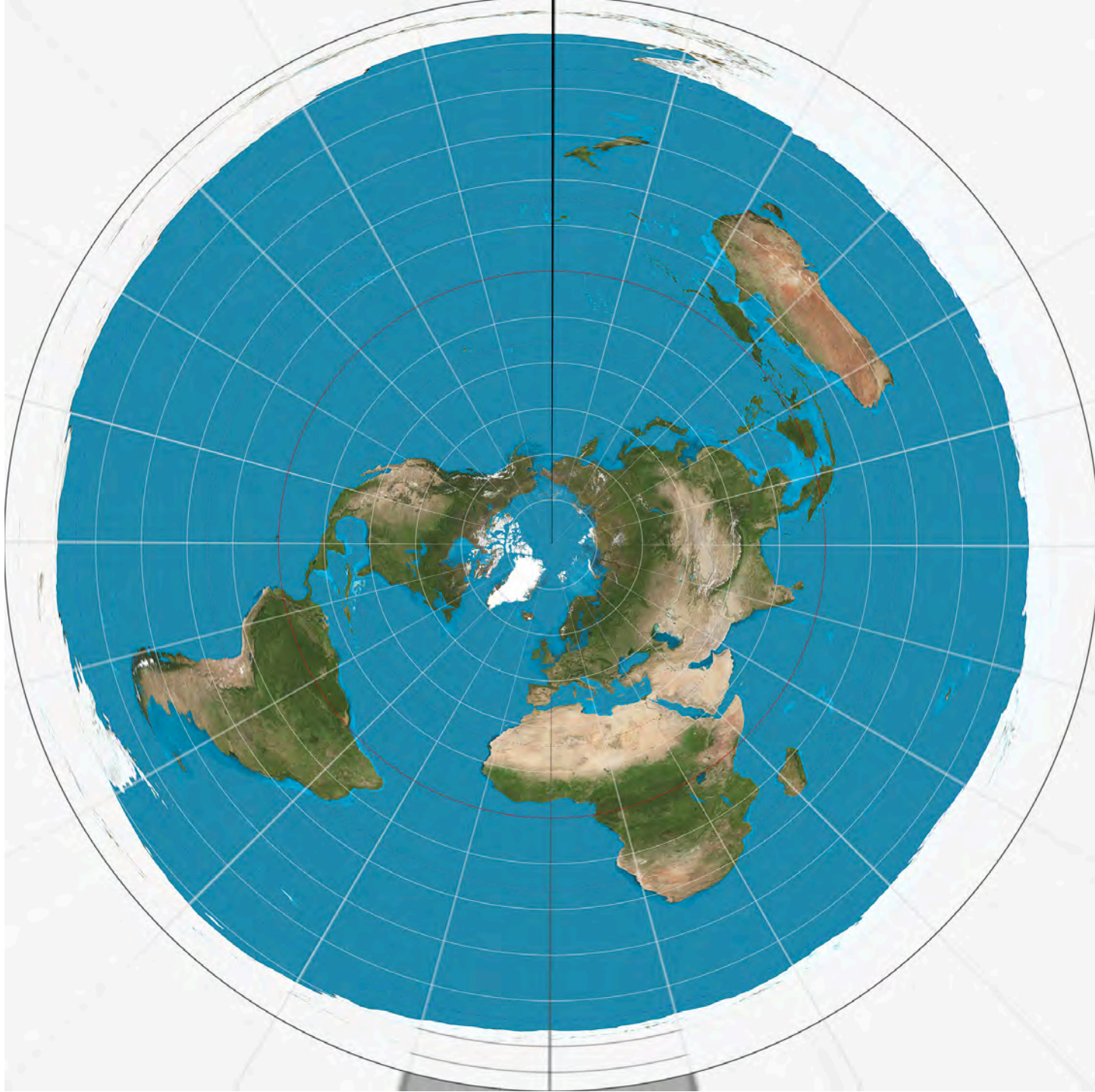
12:22  
/



12:32  
12:41:40

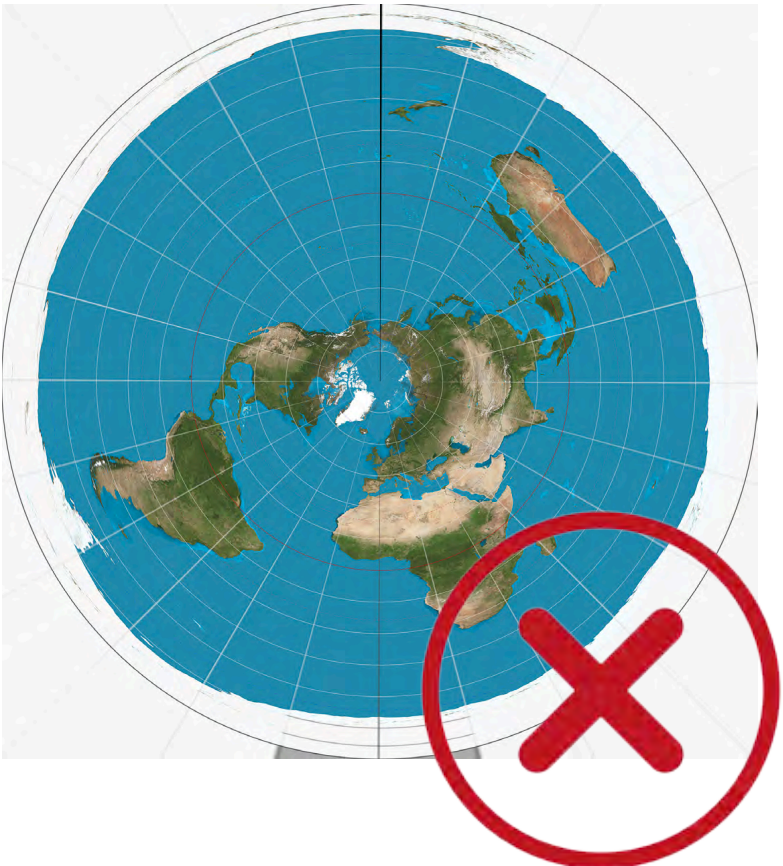








# If The Model Fits ...



# Do models “assume” things, like R

- For a model to work, there has to be a single value of a constant like the radius of the Earth, R.
- You can work out what it is to fit the model.
- You can measure it
- Use the Flat Earth value, distance from North Pole to Equator, just  $/(π/2)$
- Or measure the dip of the horizon from a known altitude
- Or measure the hidden amount of distant mountain
- Or measure the length of sun shadows in three places
- Or survey the length of 1 degree of longitude
- All these values of R measured are the same, consistent with the standard model



# The Stars







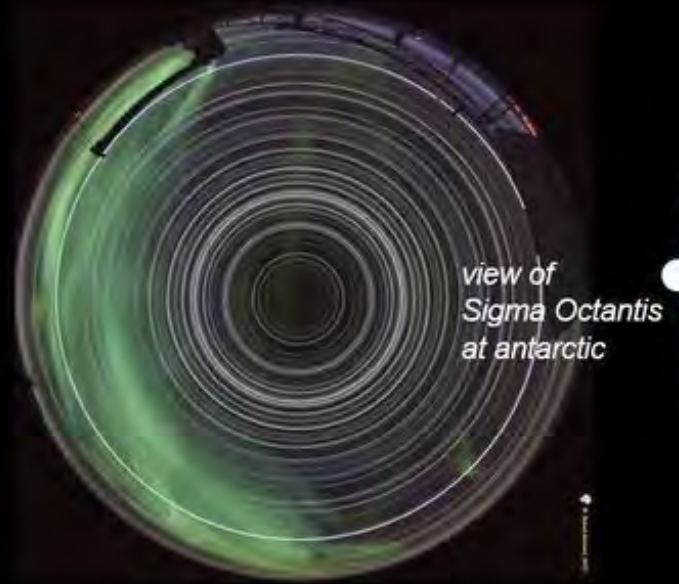
*view of Sigma Octantis from the equator*



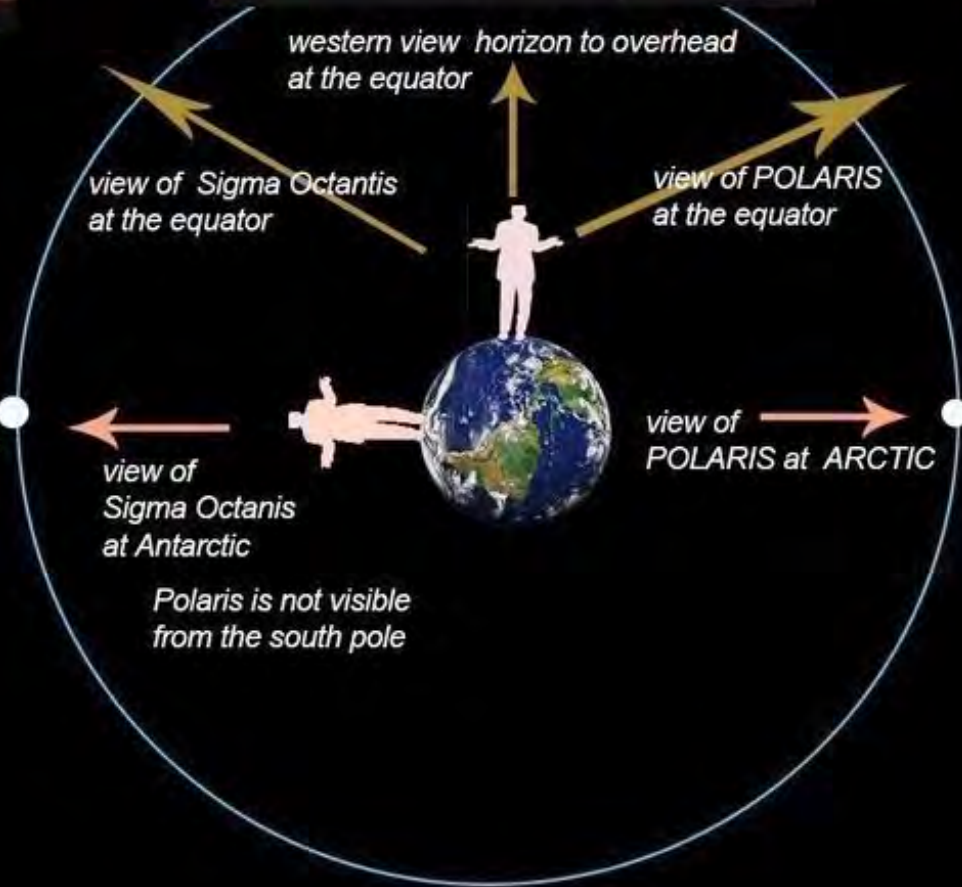
*western view horizon to overhead at the equator*



*view of POLARIS from the the equator*



*view of Sigma Octantis at antarctic*



*view of Sigma Octanis at Antarctic*

*view of POLARIS at ARCTIC*

*Polaris is not visible from the south pole*



*view of POLARIS at ARCTIC*



# The ISS



- The standard model works perfectly for the ISS
- Height and speed are correct for Earth Orbit, in the standard model
- You can check this. [SpotTheStation.nasa.gov](http://SpotTheStation.nasa.gov) will tell you
- It's always right, anywhere in the world
- You can triangulate the height, and hence the speed. Verify the model
- You can photograph it. Verify it's the right size.







# Angular Size of Sun and Moon



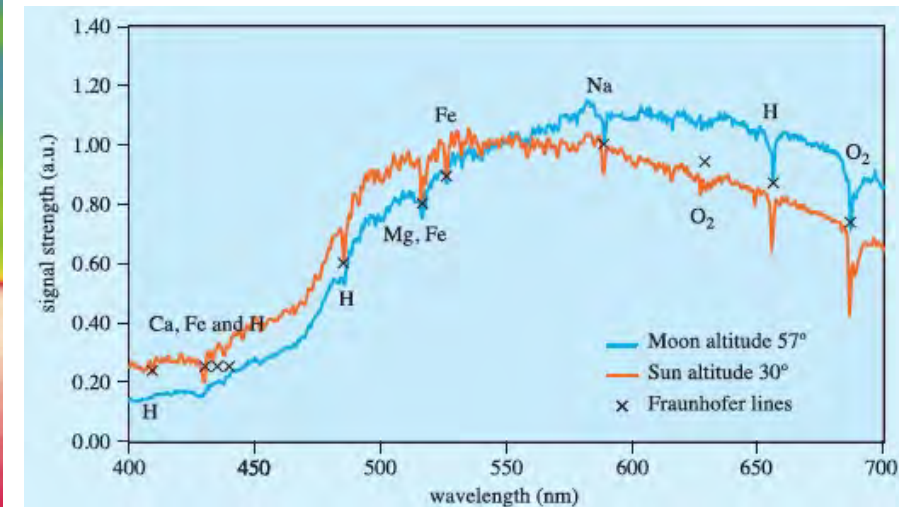
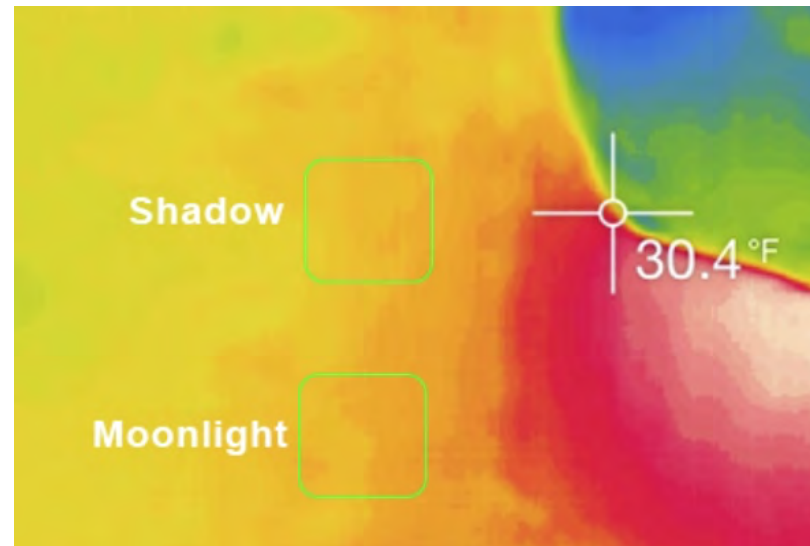
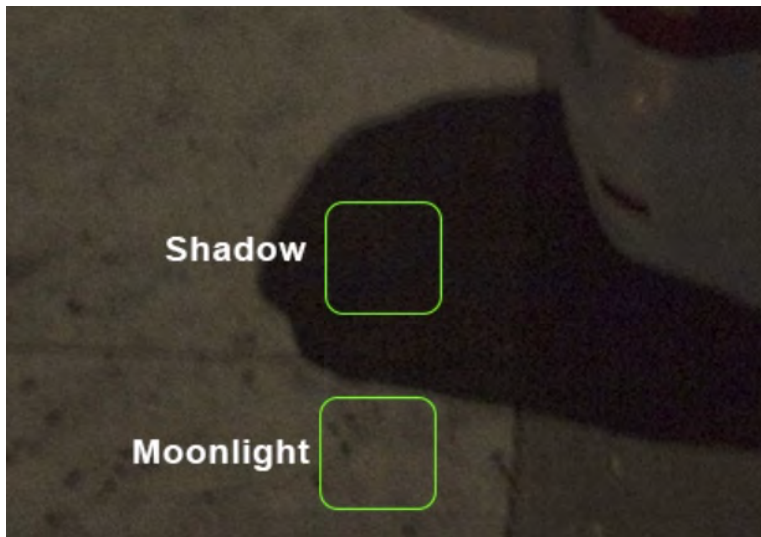
WARNING: Don't do this with a camera with an optical viewfinder, as it could burn your eyes, causing vision loss or blindness. The P900 has a digital viewfinder, so is safe. Even so, incorrect usage may damage your camera.

# The Shadows on the Moon



# Moonlight is Reflected Sunlight

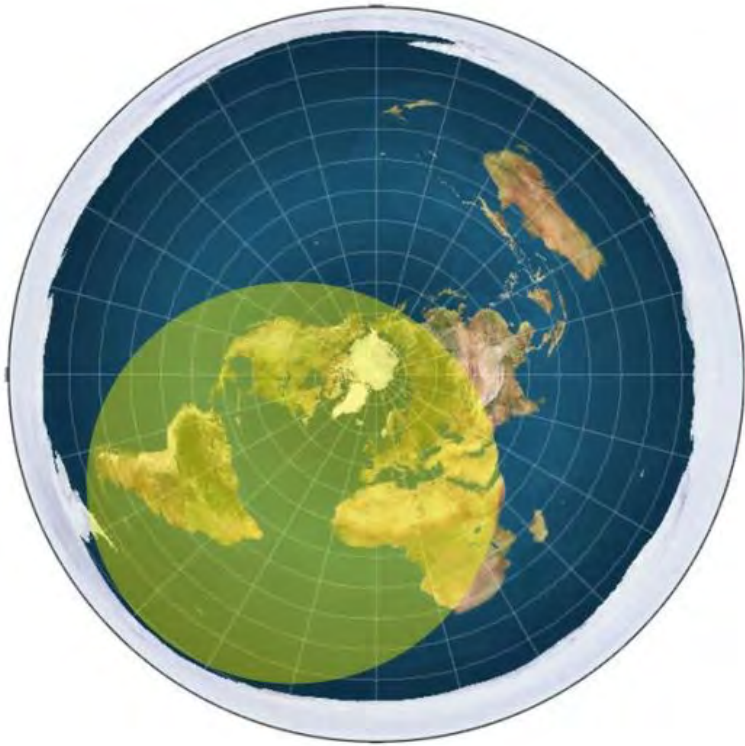
- Not cold, just dim
- Spectrum is same as sunlight, adjusted by rock reflectivity



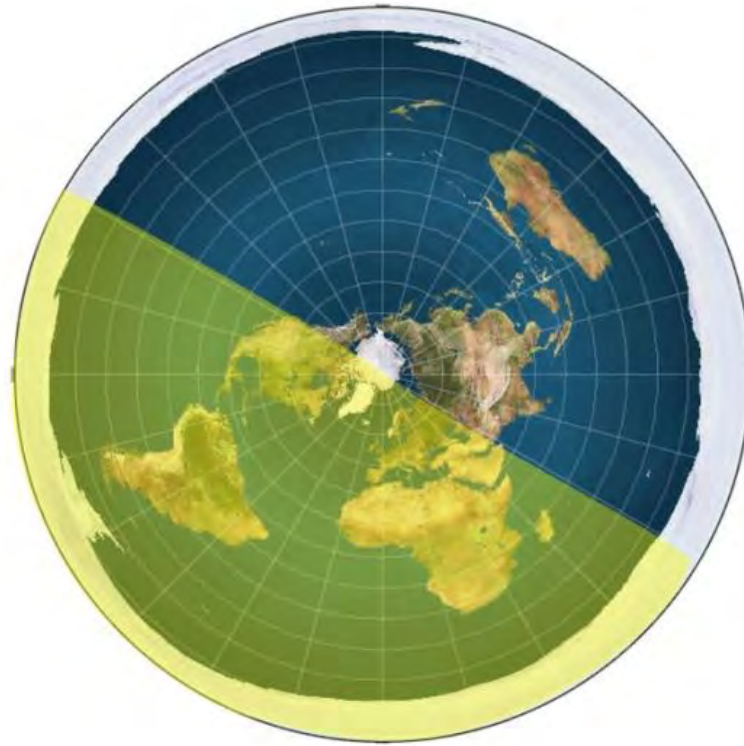
Ciocca & Wang, Moonlight, 2013



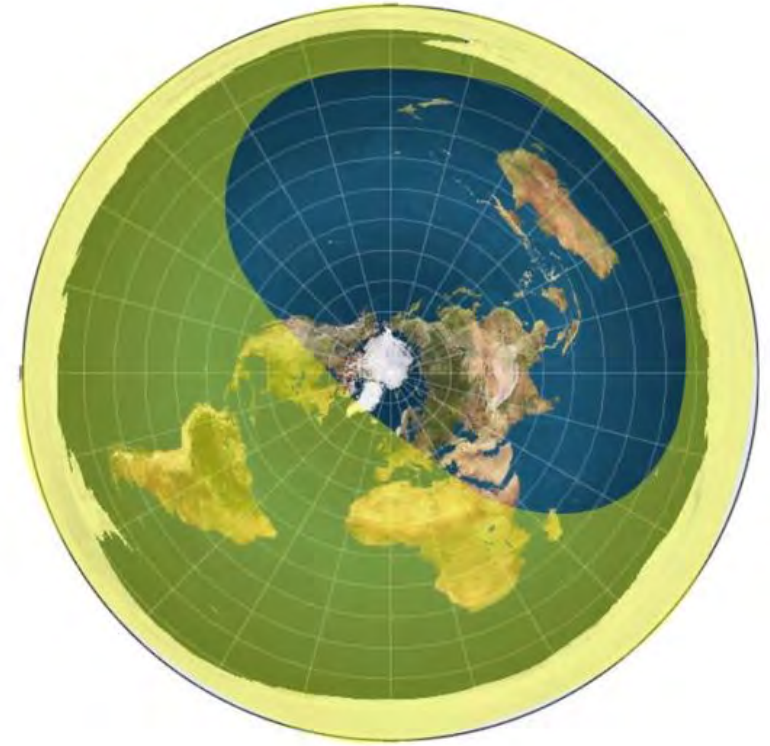
# Day and Night regions on Earth



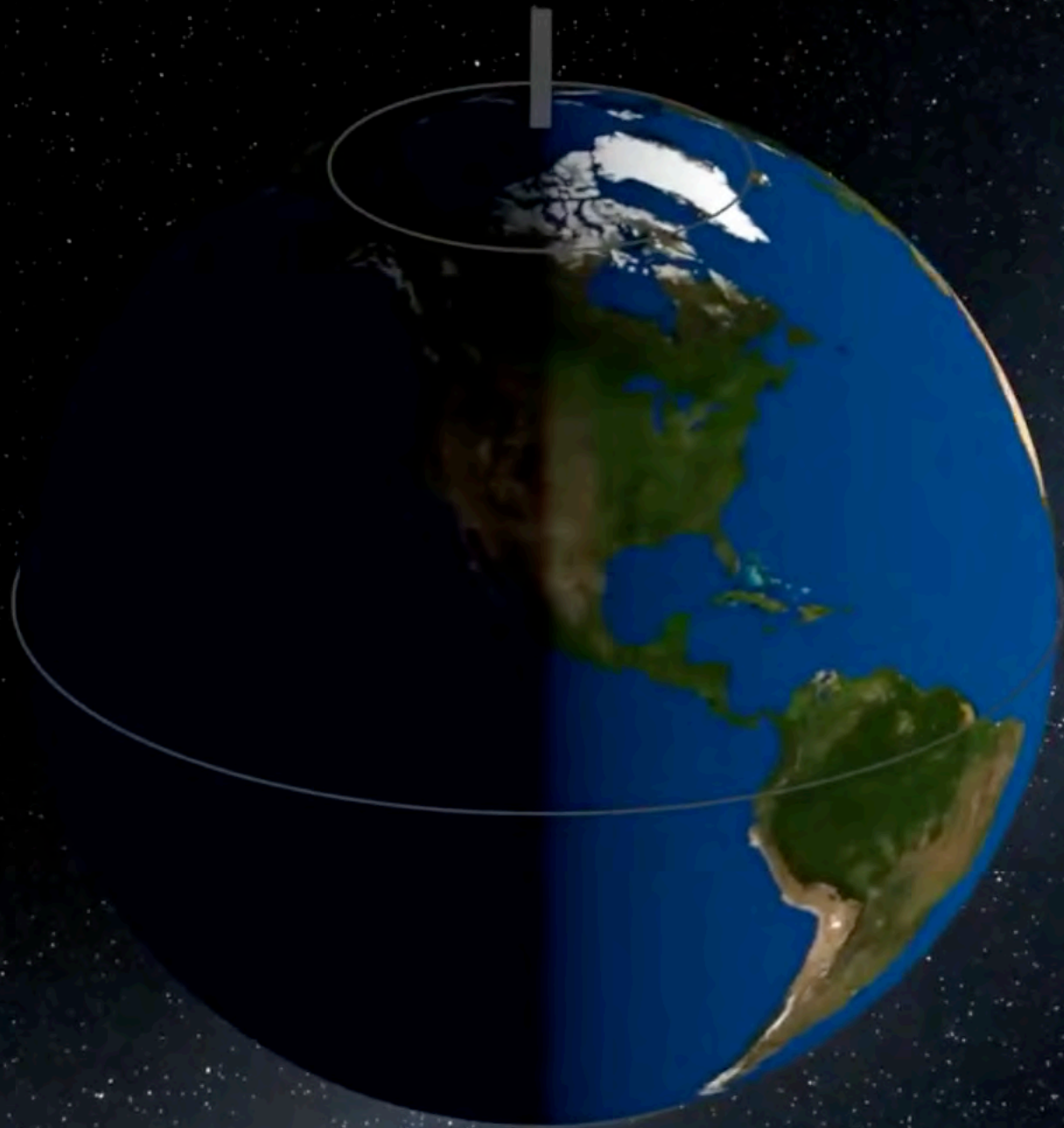
June



Mar/Sep



December



September



# Gravity's Gradual Variations

- Decreases when close to equator (Centrifugal force)
- Decrease as you get higher (Universal Gravitation)
- Exactly as the standard model predicts.



SACRAMENTO, CA



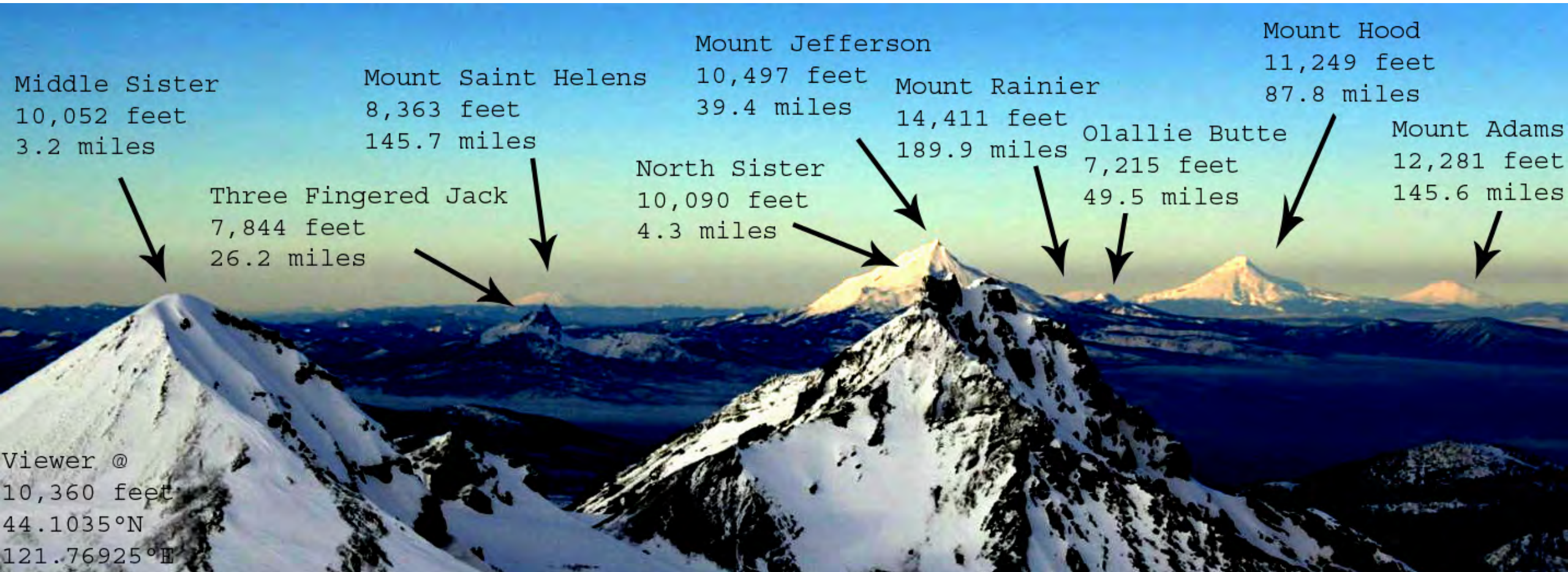
DENVER, CO



ALBUQUERQUE, NM



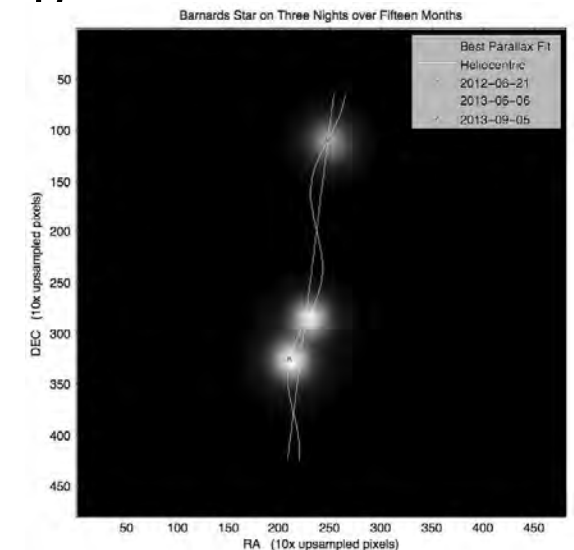
# Levelling with Mountains



You can do the math, angular size, etc, but Rainier should appear well above Jefferson

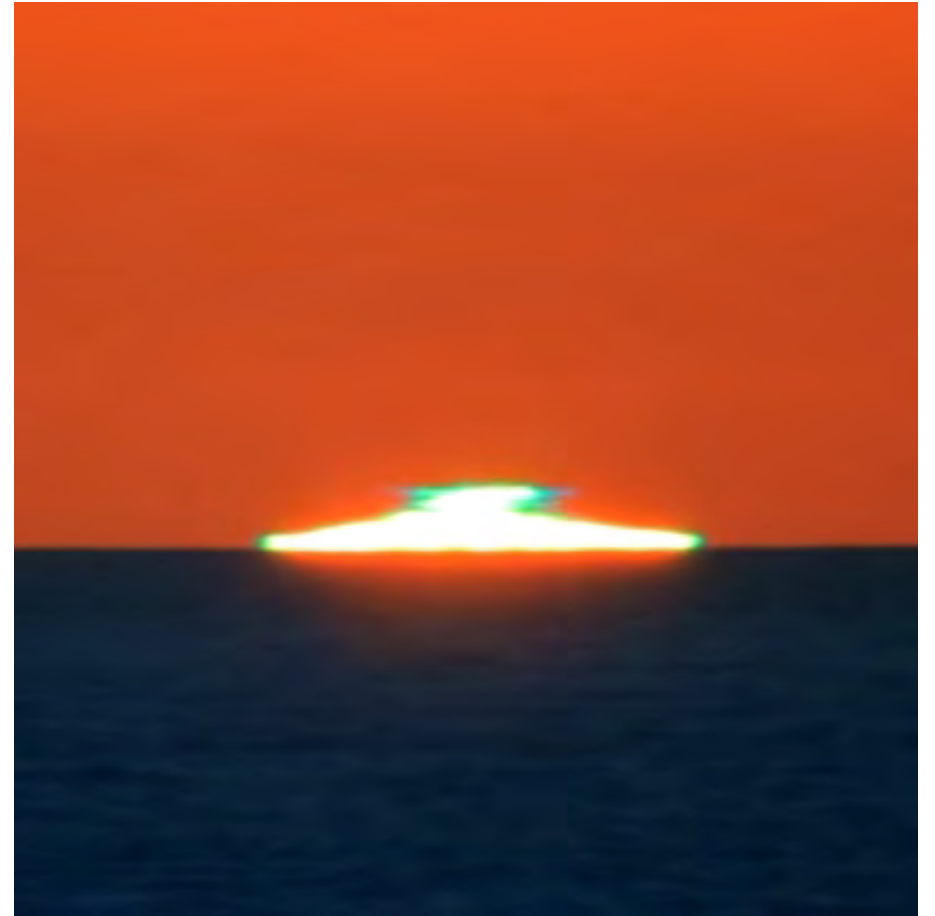
# Stellar Parallax – Absence and Presence

- Expect to see Stars move relative to each other over a year?
- Stars are TRILLIONS OF MILES AWAY!!!!!! (Standard model)
- So even though they are moving fast
  - They mostly move in the same direction
  - And their relative movement is not visible over a year, or longer
- BUT, it is visible in some stars, notably Barnard's star.
- By amateurs, using background stars
- (also lets you calculate the distance to sun!)



# Green Flash – Sun is below the horizon

- Atmosphere refracts light downwards, toward more dense air
- Downward bend raises up image
- Shorter wavelength blue/green are bent most, so are raised up most
- This is not intuitive, but you can check it with a prism (ask me later)







# The dip of the horizon with altitude



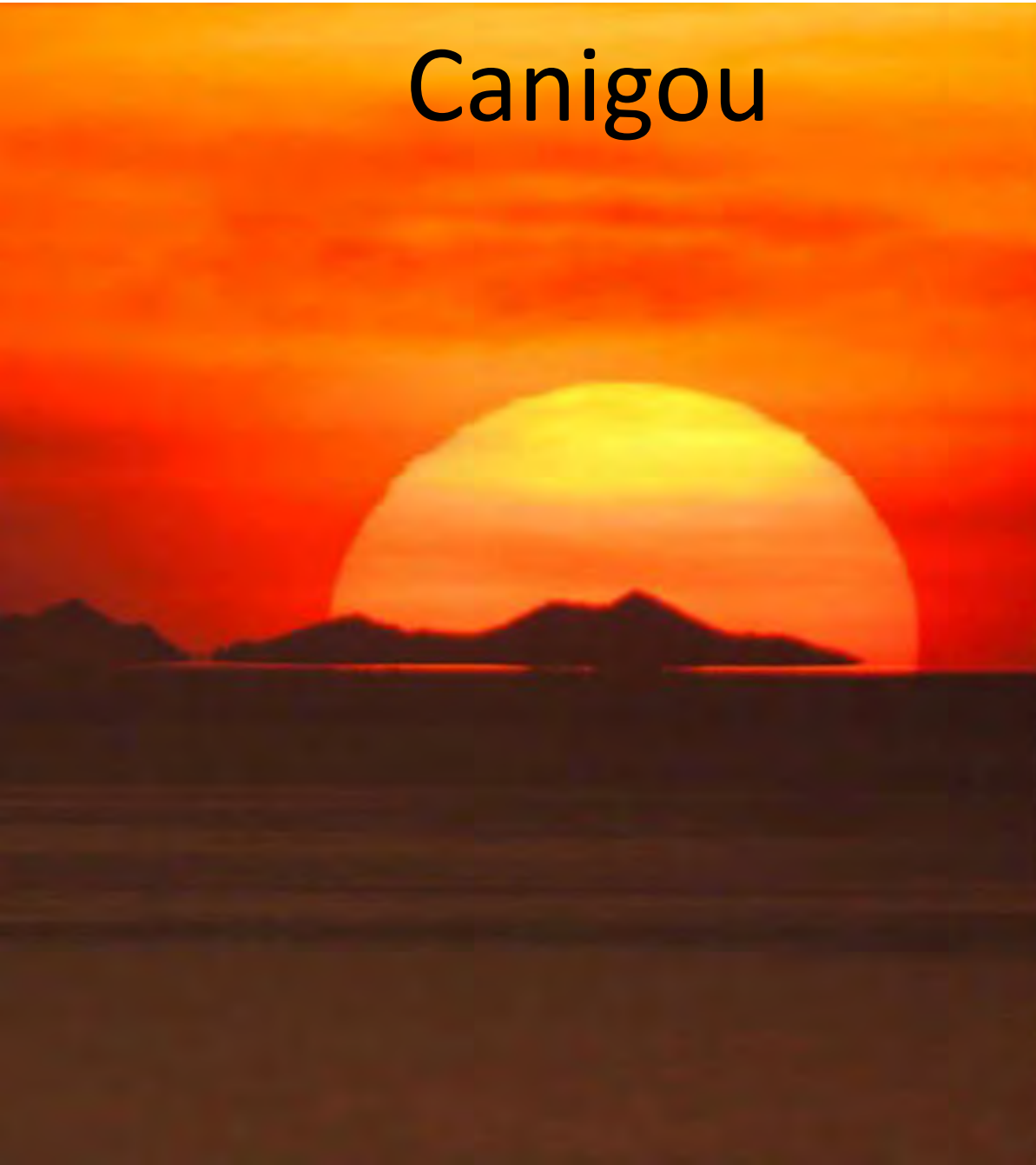


# Curve of horizon from low altitude






# Canigou

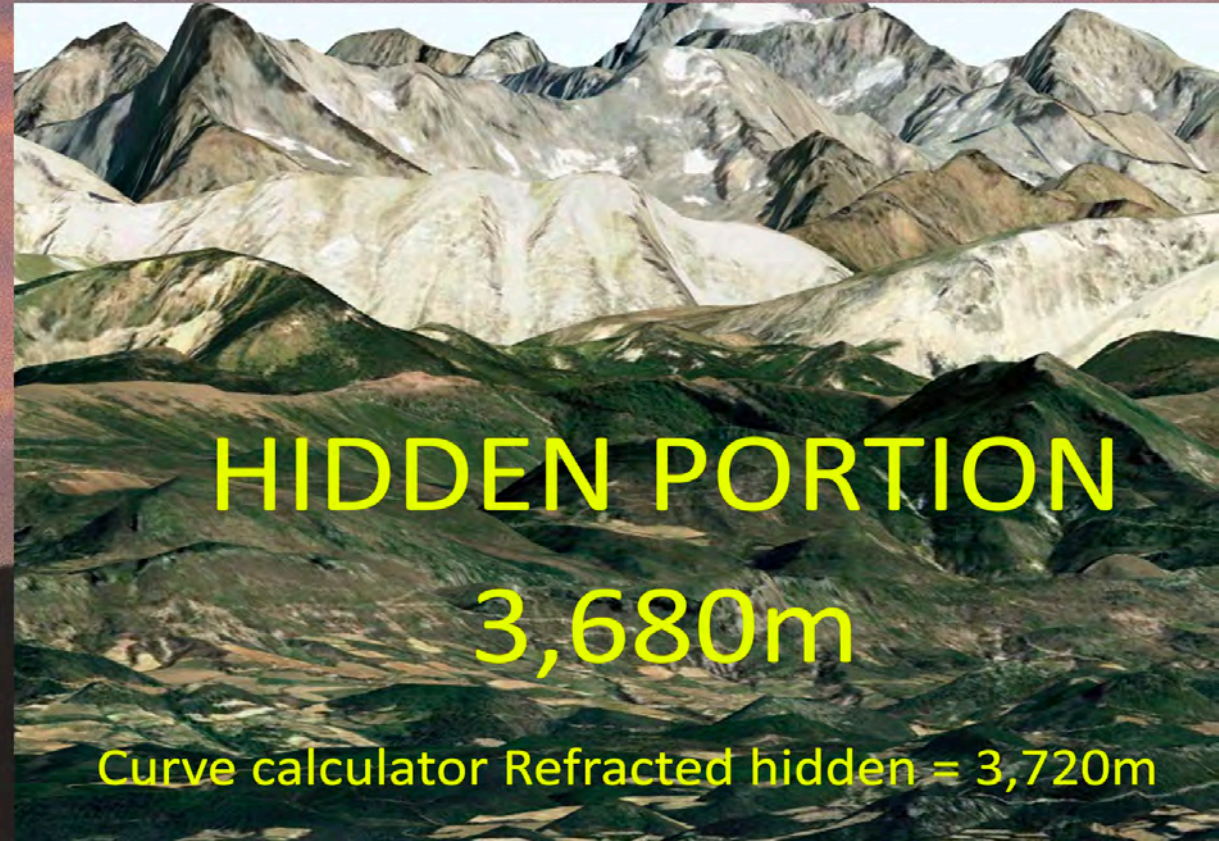






Barre des Ecrins  
4,102m

Taken from Pic de Finestrelles  
(2,820 m) at 440 Km, before  
sunrise.









# The horizon obscuring Mountains

- Reasons why you can't see something on a Flat Earth
  - Maybe It's behind waves
    - Not when looking over an ocean from 10 feet to a 1500 ft Mountain
  - Perspective???
  - No. If there's a line of sight, then you can see it.
  - Maybe fog or haze obscures it
    - Clear view all the way to the horizon, and all the mountain above it
  - Maybe it's too far away and too small to see
    - You can see the top. The top is smaller than the bottom.
  - Refraction curves light up
    - Requires higher air to be more dense, but it's demonstrably not.
    - (see also: green flash)



# Conclusion

